

# GRB Afterglow Polarization & GRB170817A

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**Fermi**

Reported 16 seconds  
after detection



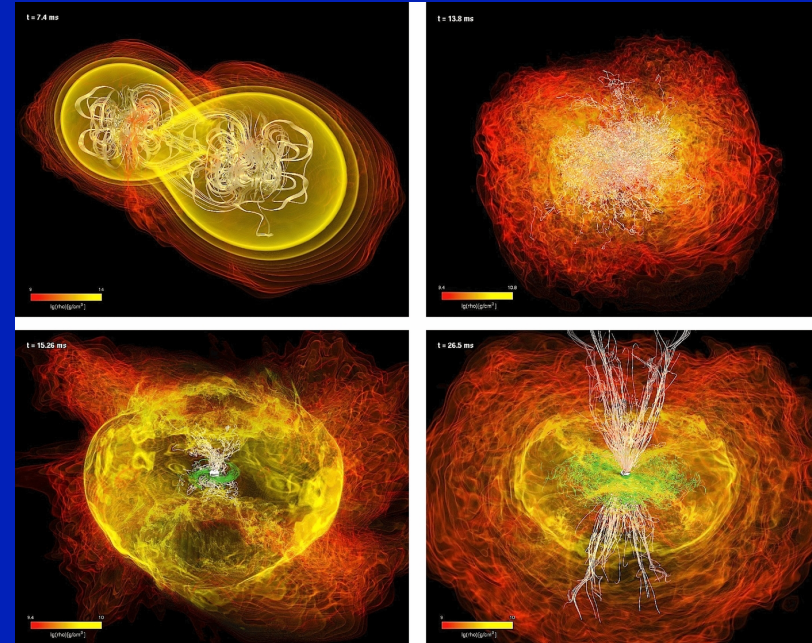
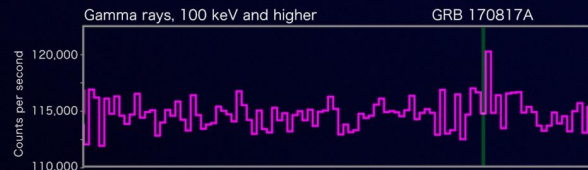
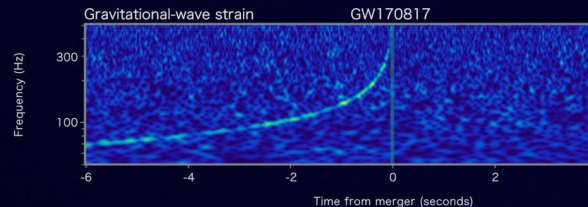
**LIGO-Virgo**

Reported 27 minutes  
after detection



**INTEGRAL**

Reported 66 minutes  
after detection



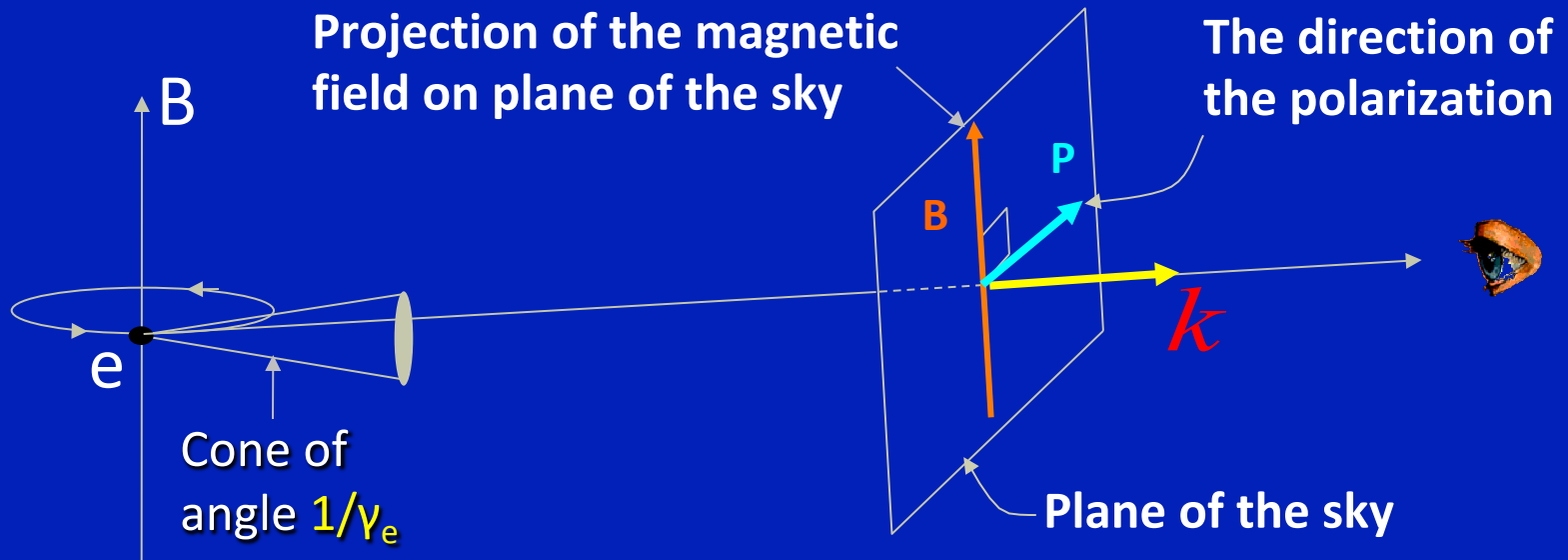
**Shedding New Light on Gamma-Ray Bursts with Polarization Data**  
**Geneva, 28 November 2018**

# Outline of the Talk:

- Polarization of synchrotron rad. from a relativistic source
- Afterglow: Jet structure & dynamics, B-field structure
  - ◆ Top hat vs. structured jet
  - ◆ Shock-produced vs. ordered B-field
- Reverse shock emission: optical flash & radio flare
- GRB170817A / GW170817 – the afterglow emission:
  - ◆ Two main options for the early flux rise:  $r$  vs.  $\theta$  dependence
  - ◆ Breaking the degeneracy: lightcurves? Images, Polarization
  - ◆ New observations imply: dominant  $\theta$  dependence (off-axis jet)
- Conclusions



# Polarization of Synchrotron Emission

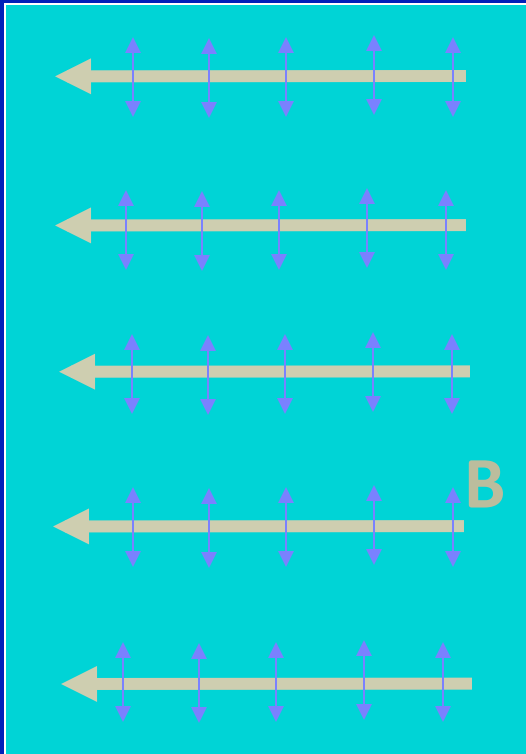


- **linear polarization** perpendicular to the projection of **B** on the plane of the sky (normal to the wave vector)
- The maximal polarization is for the local emission from an ordered **B**-field:  $P_{\max} = (\alpha+1)/(\alpha+5/3)$  where  $F_\nu \propto \nu^{-\alpha}$ ,  $-1/3 \leq \alpha \lesssim 1.5 \Rightarrow 50\% \leq P_{\max} \lesssim 80\%$  (Rybicki & Lightman 1979; Granot 2003)

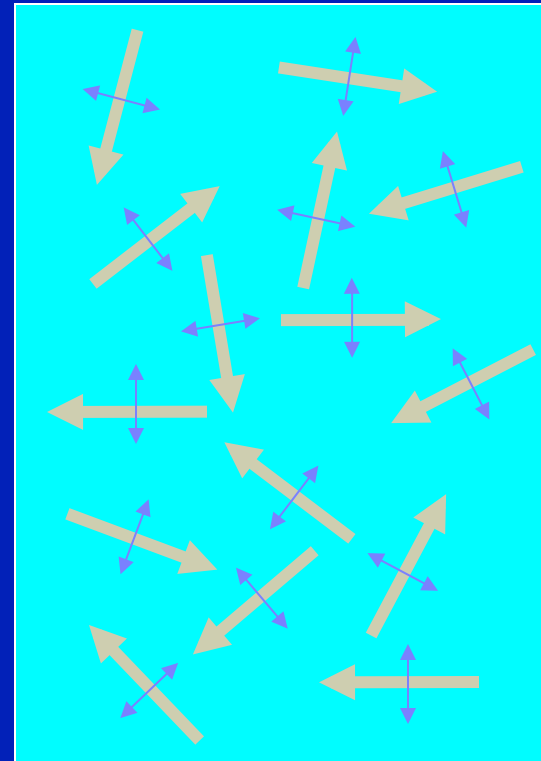
# In the source rest frame:

- A uniform field produces  $\mathbf{P} = \mathbf{P}_{\text{max}}$
- For a field random when projected on the plane of the sky:  $\mathbf{P} = \mathbf{0}$
- In particular, for a field isotropically tangled in 3D:  $\mathbf{P} = \mathbf{0}$

Uniform B

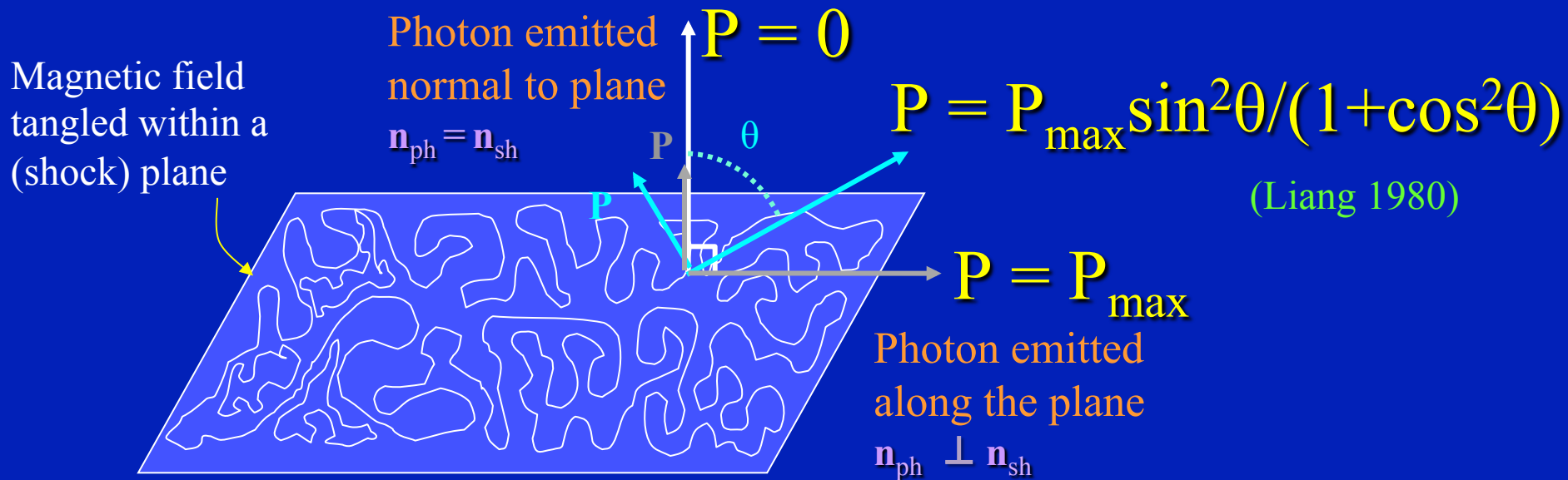


Random B



# Shock Produced Magnetic Field:

- A magnetic field that is produced at a relativistic collisionless shock, due to the two-stream instability, is expected to be **tangled within the plane of the shock** (Medvedev & Loeb 1999)





# Pure shock-produced magnetic field:

- Symmetric w.r.t. the normal to the shock,  $\mathbf{n}_{\text{sh}}$
- Produces no net polarization for a spherical outflow
- Breaking the circular symmetry of the observed image:
  - ◆ jet viewed from  $\theta_{\text{obs}} > 0$  (Sari 99; Ghisellini & Lazzati 99)
  - ◆ Scintillations (relevant for radio) (Medvedev & Loeb 1999)
  - ◆ Microlensing (rare event) (Loeb & Perna 1998)
  - ◆ Clumps, patchy shell (LC variability) (JG & Königl 2003)
- The polarization light curves for a jet depend on:
  - ◆ The **jet structure**: uniform (Sari 99; Ghisellini & Lazzati 99) or smoothly varying with angle from its axis (Rossi et al. 03)
  - ◆ The **jet dynamics** (degree of lateral spreading, etc.)
  - ◆ The **magnetic field structure** in the emitting region

# Effect of B-field degree of anisotropy:

- There are a wide variety of possible B-field configurations in the emitting region that affect the local polarization

the emission is proportional to some power of the magnetic field  $B^\epsilon$ . The total polarization from a pointlike region is then

$$\Pi_p = \Pi_0 \frac{\int \cos 2\eta [B(\theta) \sin \delta]^\epsilon f(\theta) \sin \theta d\varphi d\theta}{\int [B(\theta) \sin \delta]^\epsilon f(\theta) \sin \theta d\varphi d\theta}. \quad (1)$$

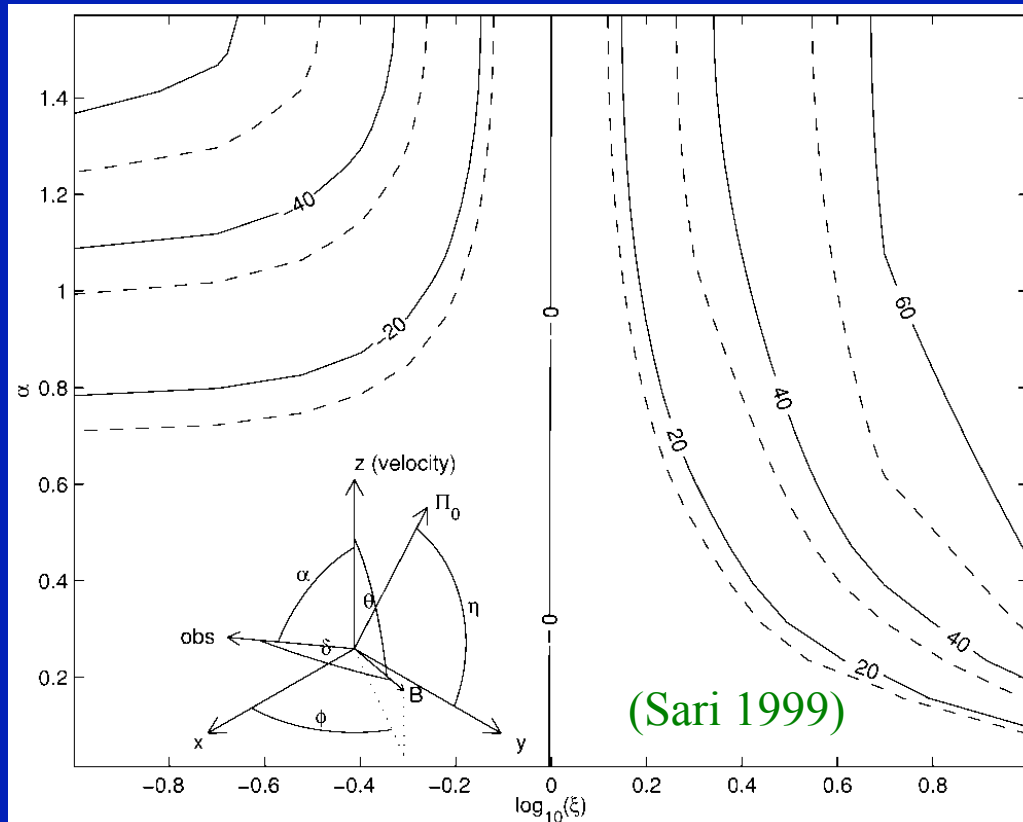
For a power-law distribution of electrons, we have  $\Pi_0 = (p+1)/(p+7/3)$  and  $\epsilon = (p+1)/2$ , where  $p$  is the electron power-law index, usually in the range of  $p=2$  to  $p=2.5$ . Reasonable values are therefore  $\Pi_0 \sim 70\%$  and  $1.5 < \epsilon < 1.75$ . Cooling may increase the effective  $p$  by  $1/2$ .

For frequency integrated polarization, the emission is proportional to the square of the magnetic field,  $\epsilon=2$ , and the integration can be easily done. We obtain

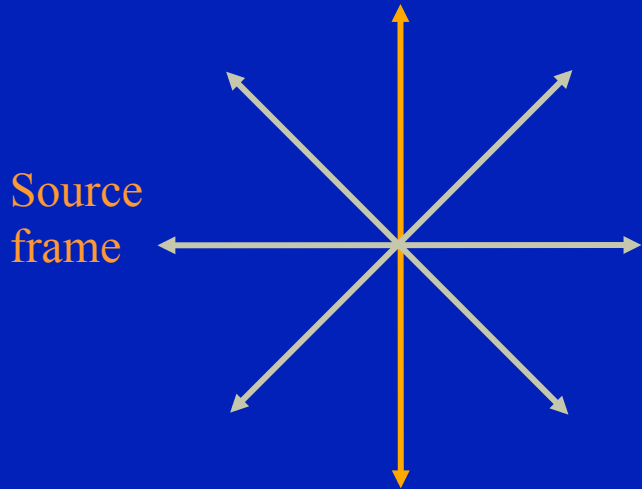
$$\Pi_p = \Pi_0 \sin^2 \alpha \frac{\langle B_{\parallel}^2 \rangle - \langle B_{\perp}^2 \rangle / 2}{\sin^2 \alpha \langle B_{\parallel}^2 \rangle + (1 + \cos^2 \alpha) \langle B_{\perp}^2 \rangle / 2}. \quad (2)$$

This is identical to the expression of Gruzinov (1999). As we remarked above, the relevant values of  $\epsilon$  are probably below 2, and the integration is less simple. The results now depend on higher moments of  $B(\theta)$  and  $f(\theta)$ , rather than simply through  $\langle B_{\parallel}^2 \rangle$  and  $\langle B_{\perp}^2 \rangle$ . One realization of anisotropic magnetic field can be obtained from an isotropic magnetic field in which the component in the parallel direction was multiplied by some factor  $\xi$ . In the notation above this translates to

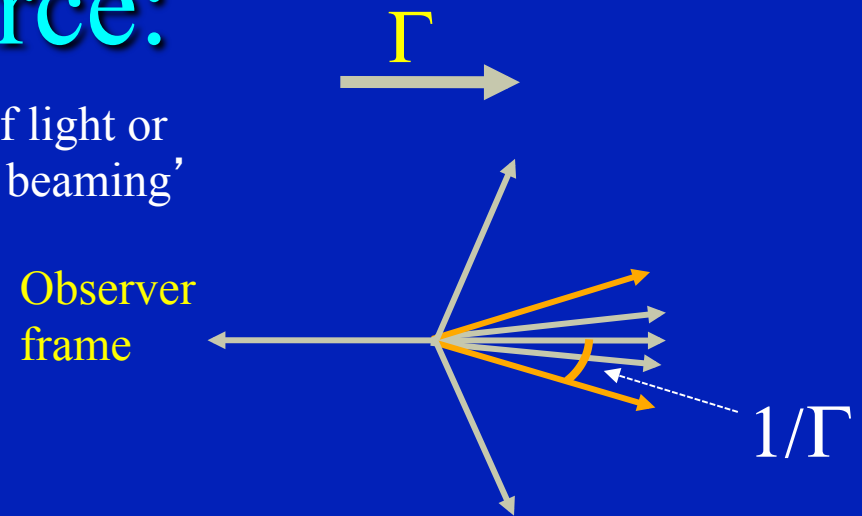
$$B(\theta) \propto (\xi^2 \sin^2 \theta + \cos^2 \theta)^{-1/2}, \quad f(\theta) \propto B^3(\theta). \quad (3)$$



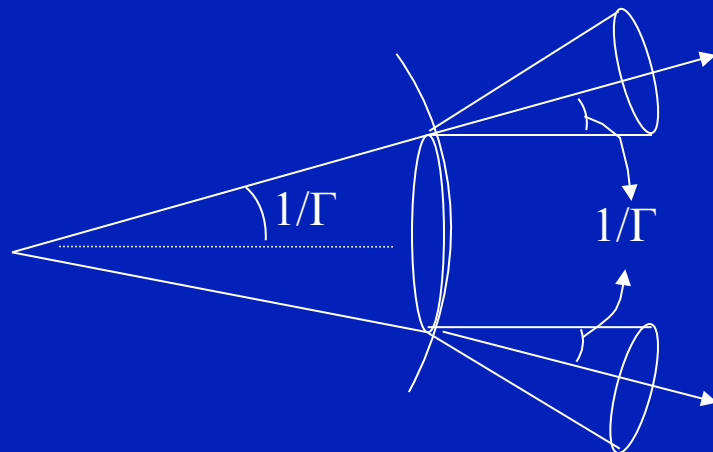
# Relativistic source:



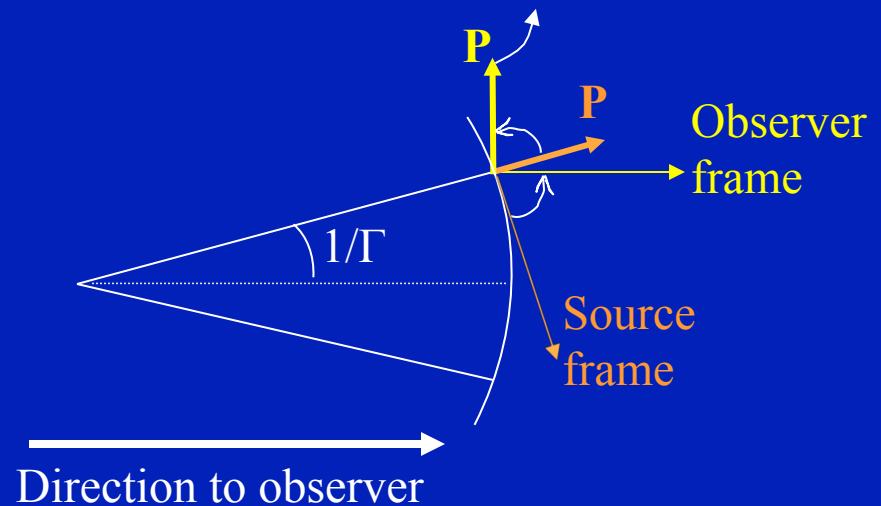
Aberration of light or  
'relativistic beaming'



The observer sees mostly emission from within an angle of  $1/\Gamma$  around the l.o.s.



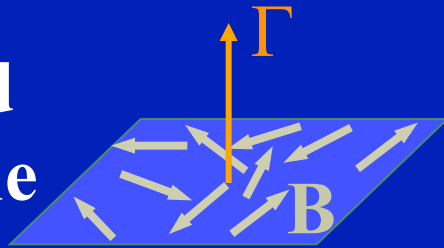
Direction of  
Polarization



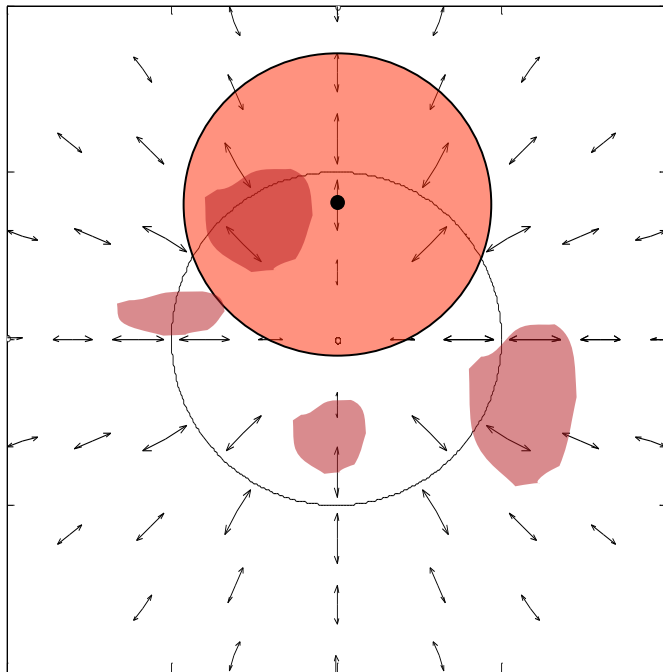
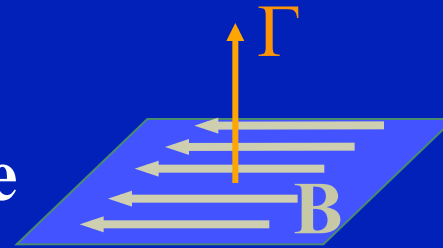


# Polarization in the observer frame

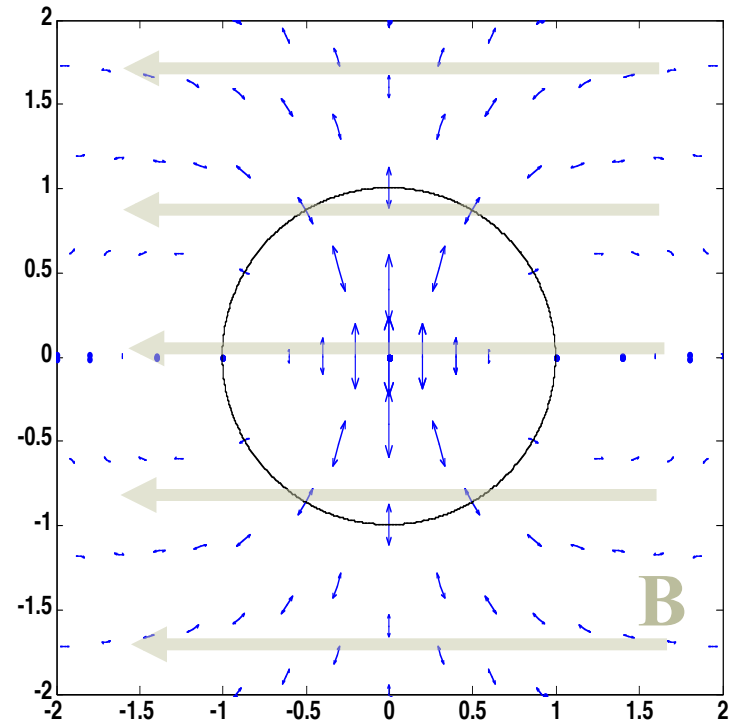
Random field  
in shock plane



Ordered field  
in shock plane



Sari 99; Ghisellini & Lazzati 99

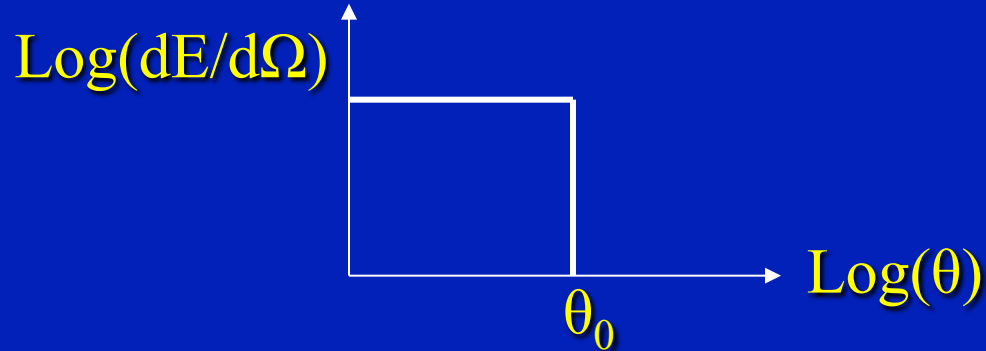


Granot & Königl 03

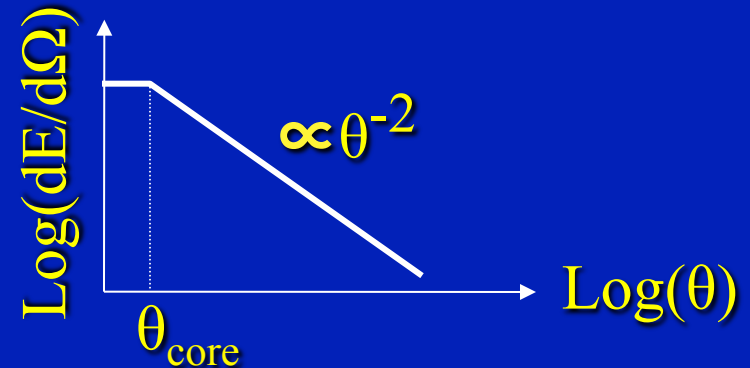
$$P \sim P_{\max}$$

# Two Competing Jet Structures:

**Uniform (top hat) jet<sup>†</sup>:**



**Structured jet<sup>††</sup>:**

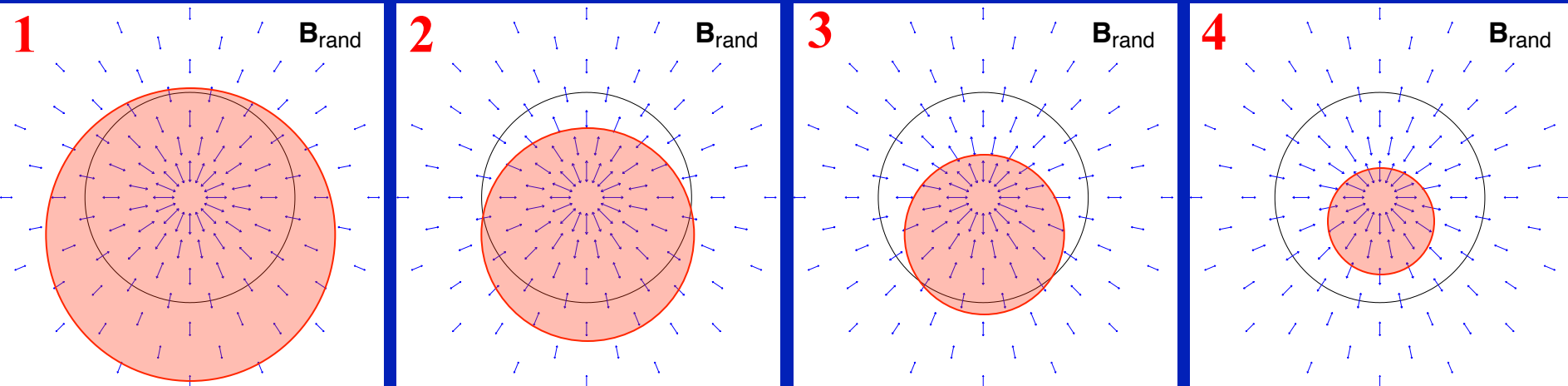


- A structured jet has a  $\sim 10$  times larger energy than a uniform jet, and implies a  $\sim 10$  times smaller GRB rate
- The jet structure constrains model for the central source
- There are small differences in the light curves of the two jet structures (Granot & Kumar 2003; Kumar & Granot 2003)
- Structured jet predicts  $dn/dzd\theta$  (Nakar, Granot & Guetta 2004)

<sup>†</sup> Rhoads 97,99; Sari et al. 99, ...

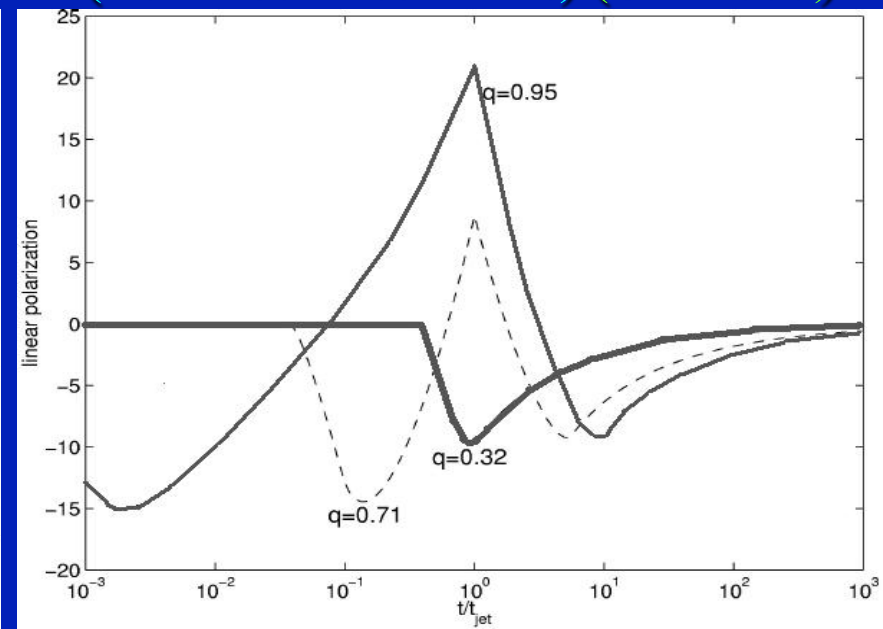
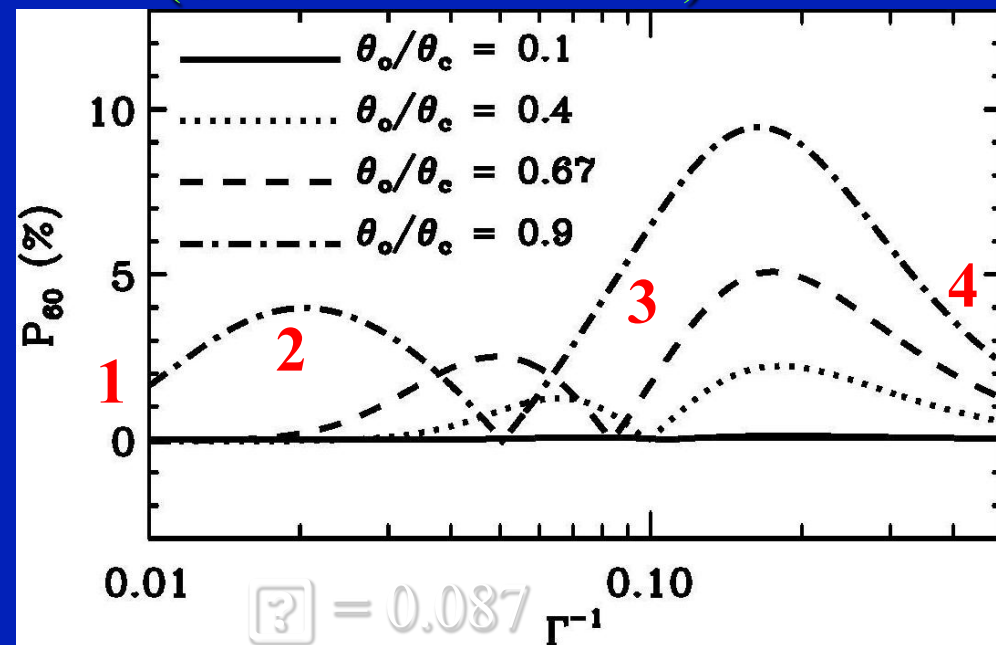
<sup>††</sup> Postnov et al. 01; Rossi et al. 02;  
Zhang & Meszaros 02

# Polarization light curves: Uniform jet



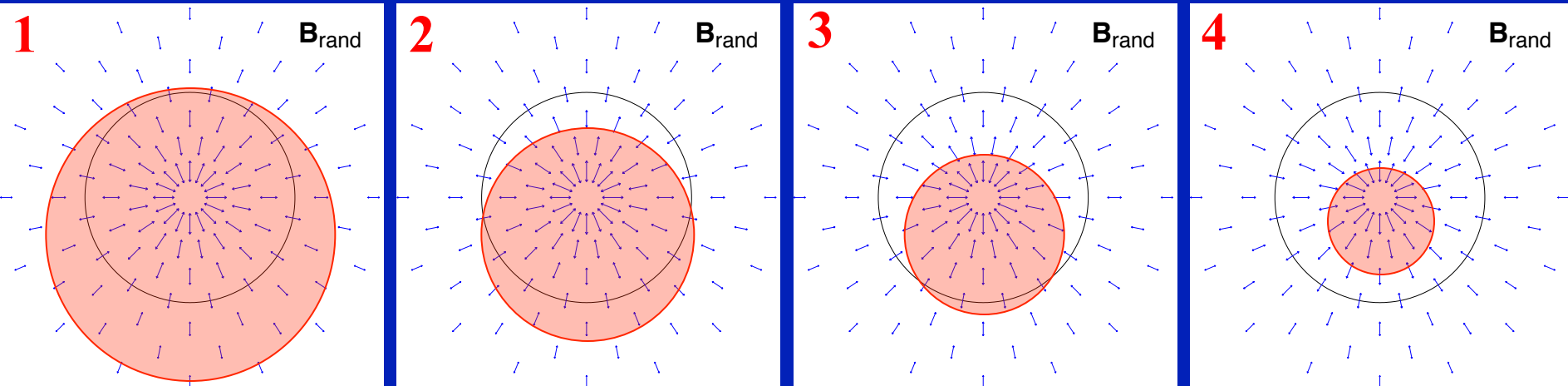
No sideways Expansion  
(Ghisellini & Lazzati 99)

Very fast sideways Expansion  
( $\sim c$  in local rest frame) (Sari 1999)



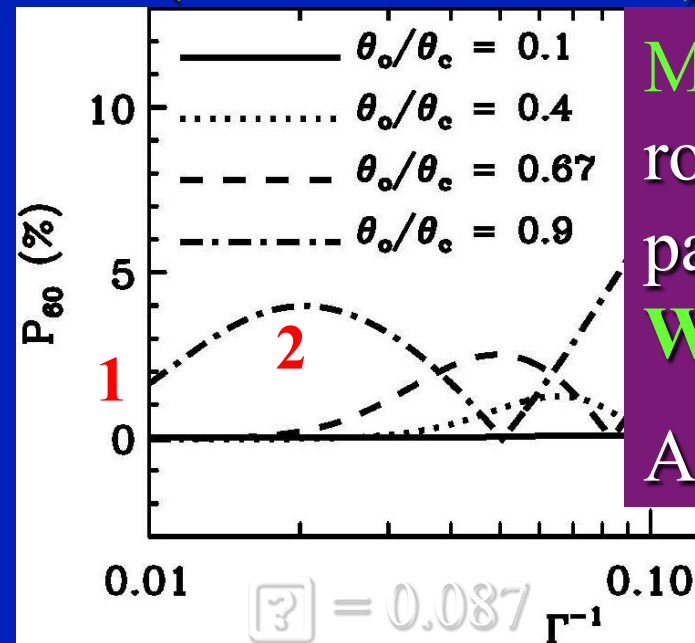


# Polarization light curves: Uniform jet

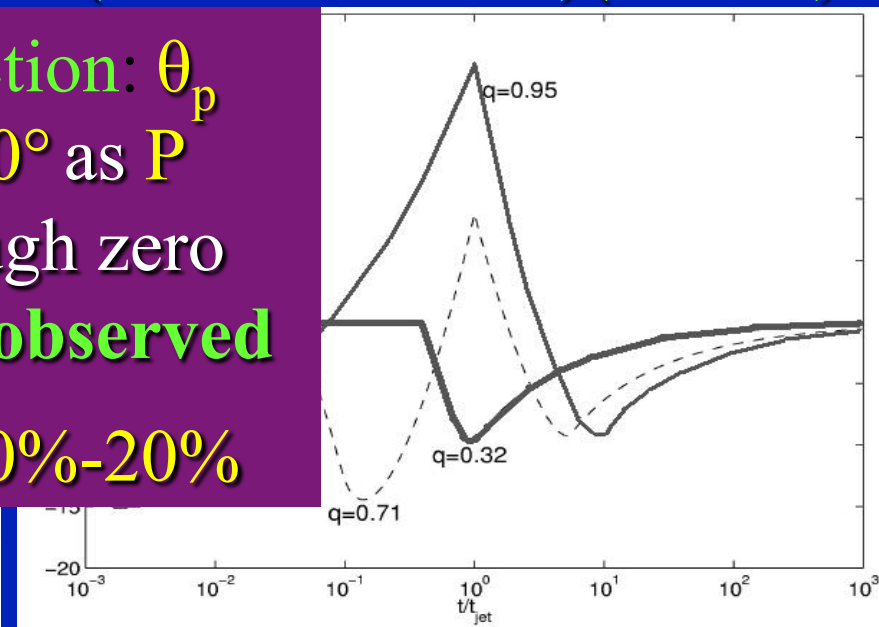


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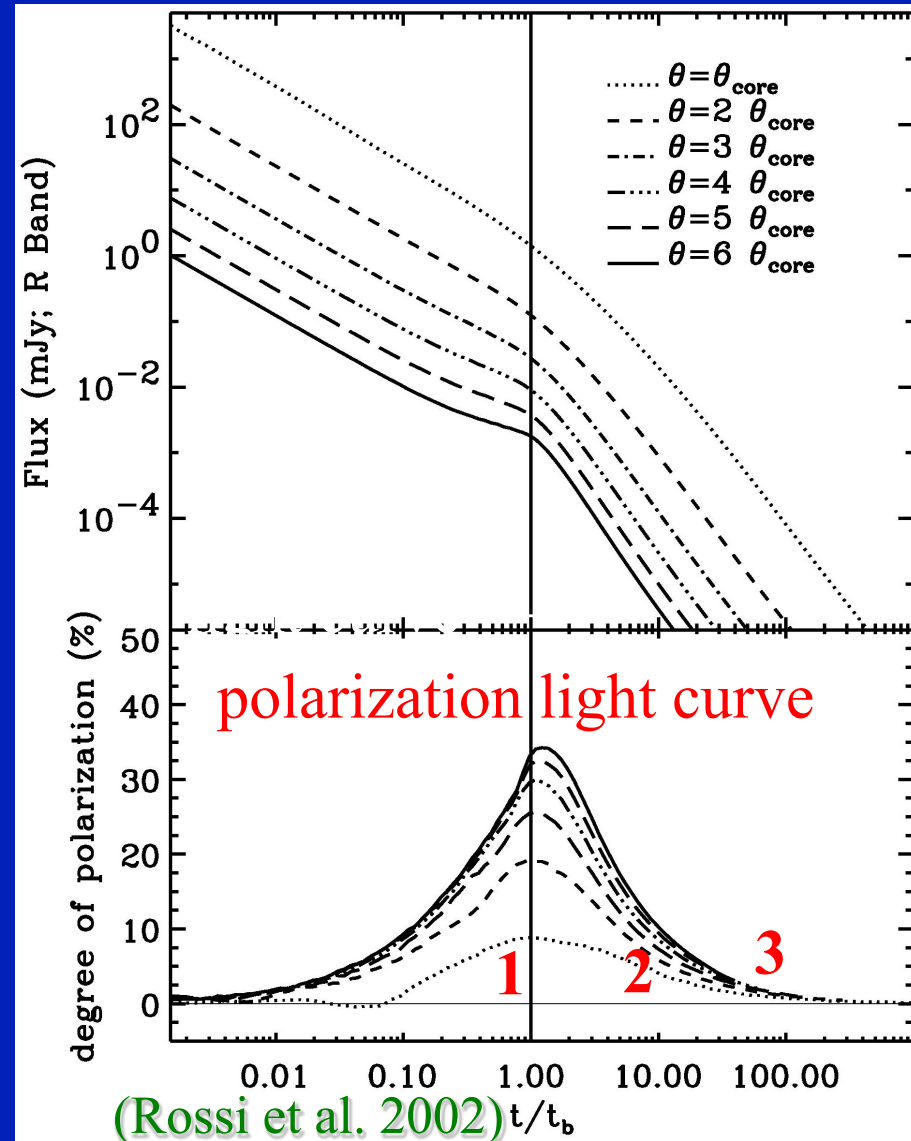
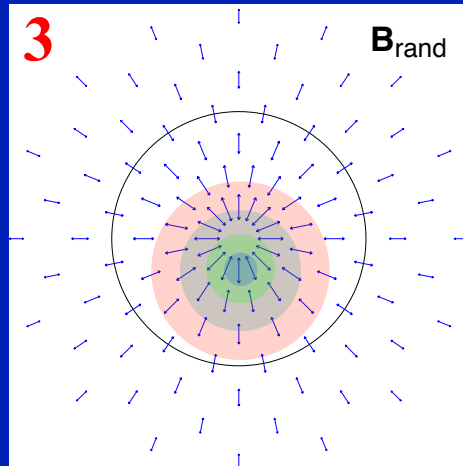
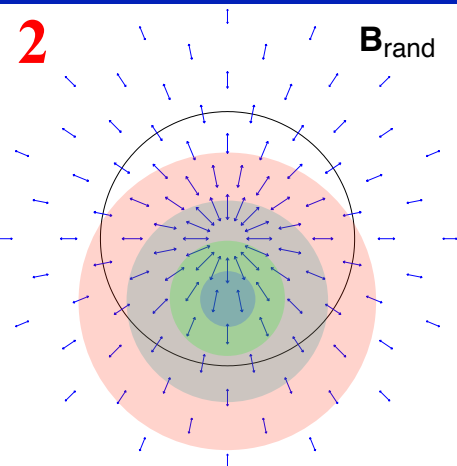
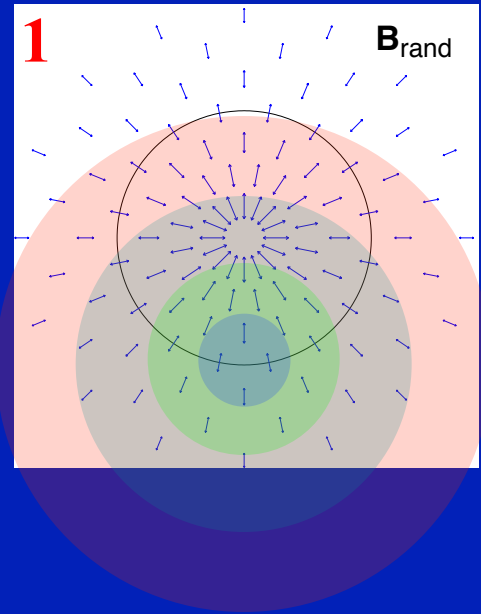


Main Prediction:  $\theta_p$   
 rotates by  $90^\circ$  as  $P$   
 passes through zero  
**Was never observed**  
 Also:  $P \lesssim 10\%-20\%$



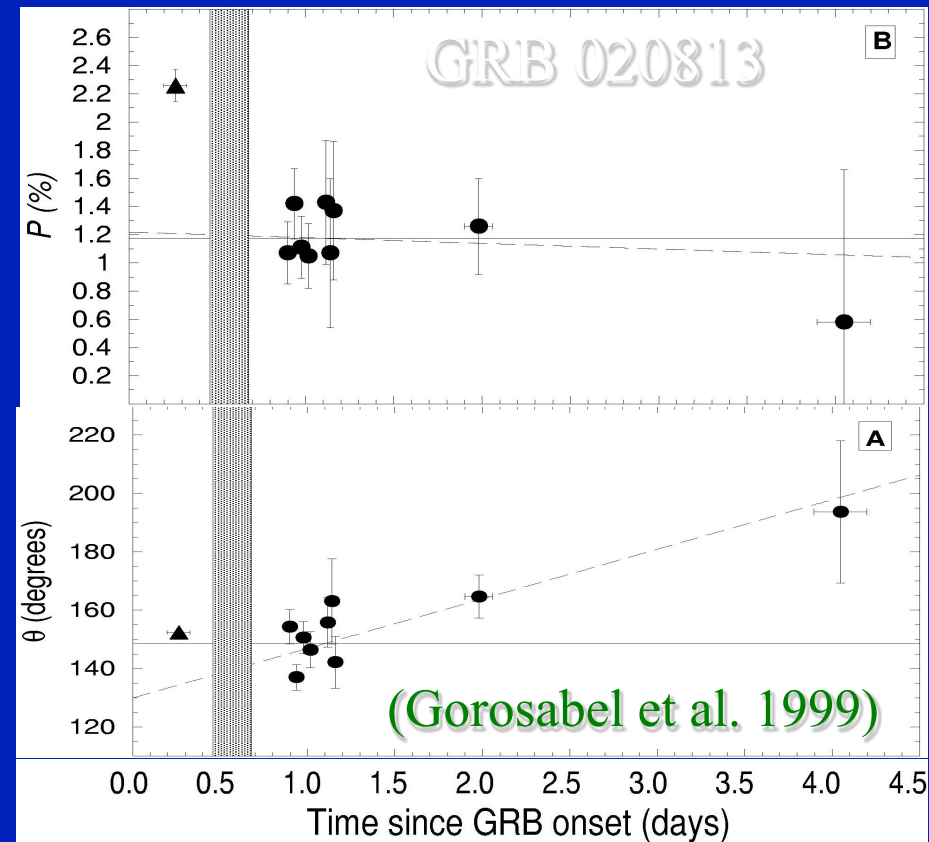
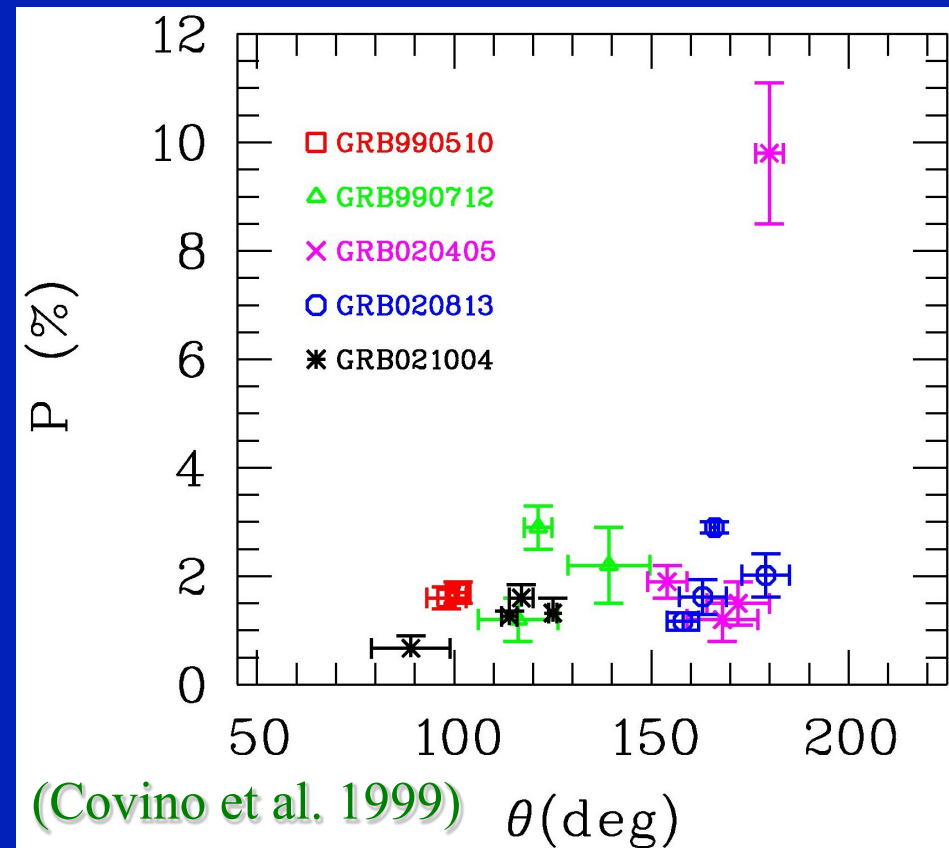
# Polarization light curves: Structured jet

- **P** peaks at jet break time,  $\theta_p = \text{const}$ ,  $P \lesssim 10\% - 30\%$



# Observations: Afterglow Polarization

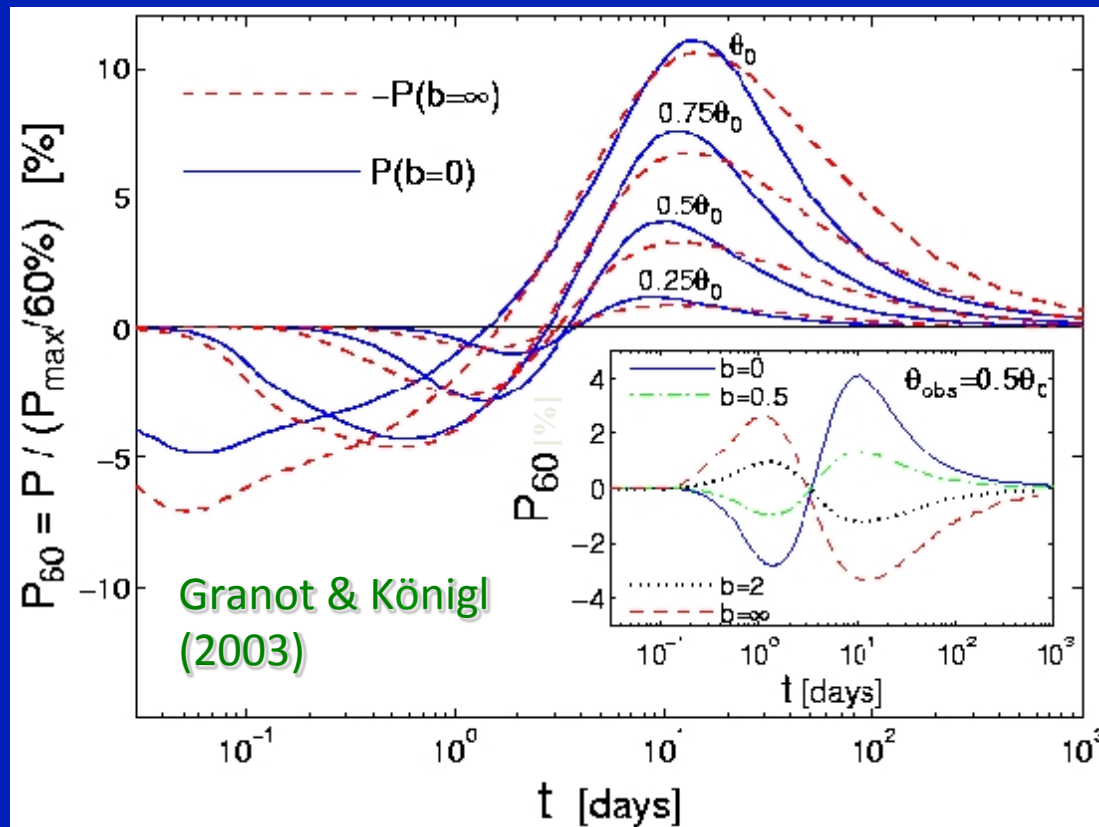
- Linear polarization at the level of  $P \sim 1\%-3\%$  was detected in several optical afterglows
- In some cases  $P$  varied, but usually  $\theta_p \approx \text{const}$
- Different from predictions of uniform or structured jet





# Effect of Magnetic field structure:

- $b = 2\langle B_{\parallel}^2 \rangle / \langle B_{\text{perp}}^2 \rangle$  parameterizes the asymmetry of  $B_{\text{rnd}}$
- $\text{Sign}(b-1)$  determines  $\theta_p$  ( $P > 0$  is along the direction from the line of sight to the jet axis &  $P < 0$  is rotated by  $90^\circ$ )
- For  $b \approx 1$  the polarization is very low (field is almost isotropic)
- $P \lesssim 3\%$  in afterglows observations  $\Rightarrow 0.5 \lesssim b \lesssim 2$



$$P = P_{\text{max}} / [1 + 2/(b-1)\sin^2\theta']$$

$$\theta_0 = 5^\circ$$

$$E_{\text{jet}} = 3 \times 10^{51} \text{ erg}$$

$$n = 1 \text{ cm}^{-3}$$

$$z = 1$$

$$p = 2.5$$

$$\varepsilon_e = 0.1$$

$$\varepsilon_B = 0.01$$

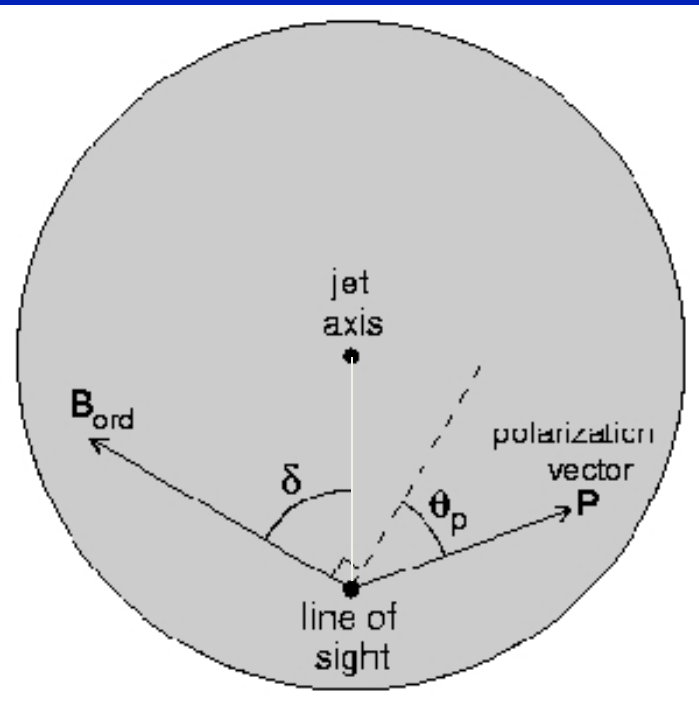
# Adding an ordered B-field component

## Motivation: amplification of ambient B-field

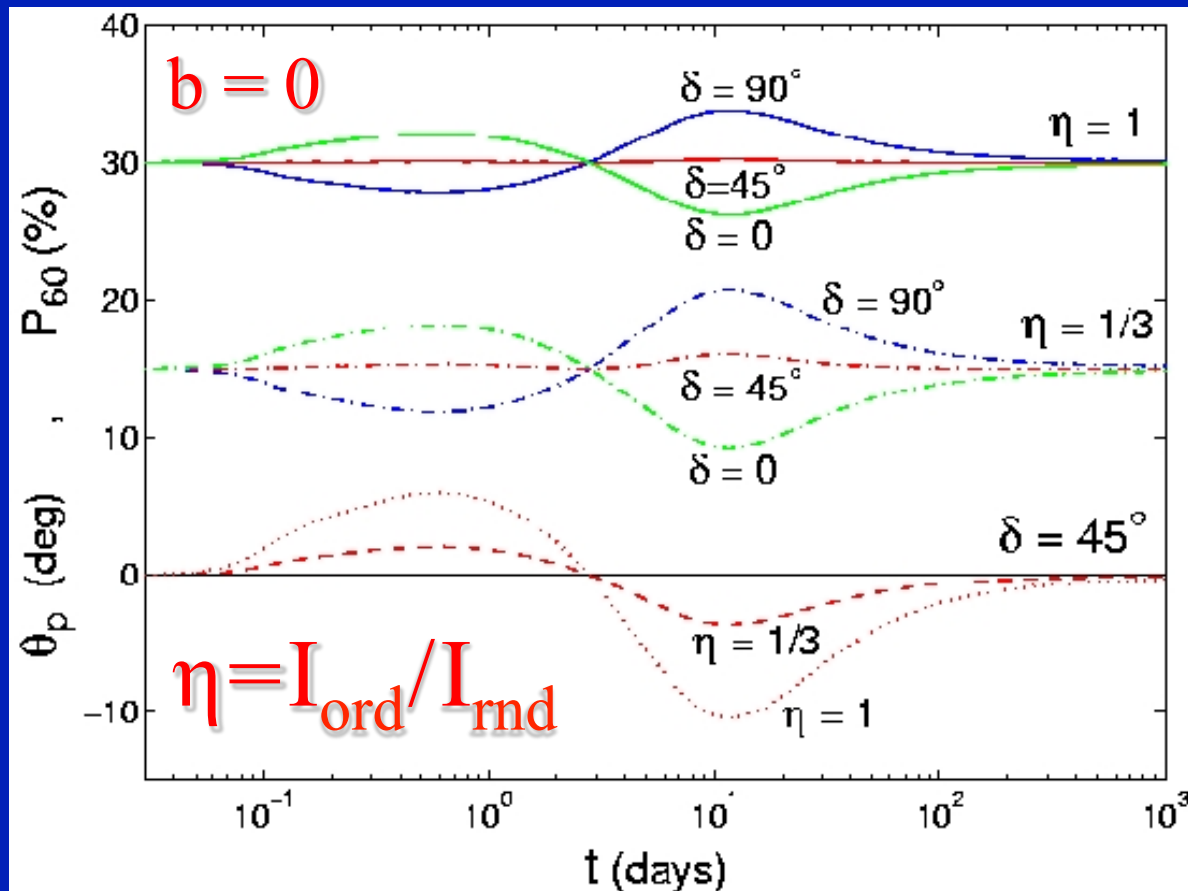
- At shock transition:  $B_{\parallel}$  remains unchanged,  $B_{\text{perp}}$  is amplified by the compression ratio ( $4\Gamma$  for  $\Gamma \gg 1$ )  $\Rightarrow$  we expect  $B_{\text{perp}} \gg B_{\parallel}$  and for simplicity assume  $B_{\parallel} = 0$
- Afterglow observations  $\Rightarrow 10^{-4} \lesssim \epsilon_B \lesssim 0.1$ ,  $P \lesssim 0.05 P_{\text{max}} \Rightarrow 10^{-5.5} \lesssim \epsilon_{B,\text{ord}} \lesssim 10^{-2.5}$
- Values expected for the external medium:
  - ◆ Pulsar wind bubble (Königl & Granot 02):  $\epsilon_{B,\text{ord}} \sim 10^{-3} - 10^{-1}$
  - ◆ Stellar wind of massive star progenitor:  $\epsilon_{B,\text{ord}} \sim 10^{-6} - 10^{-4}$
  - ◆ Interstellar medium (ISM):  $\epsilon_{B,\text{ord}} \sim 10^{-10} - 10^{-8}$ , however if the magnetic field is amplified in the shock preferentially in the direction of the initial field, then  $\epsilon_{B,\text{ord}}$  can be high enough

# Combining $B_{\text{ord}}$ & $B_{\text{rnd}}$ :

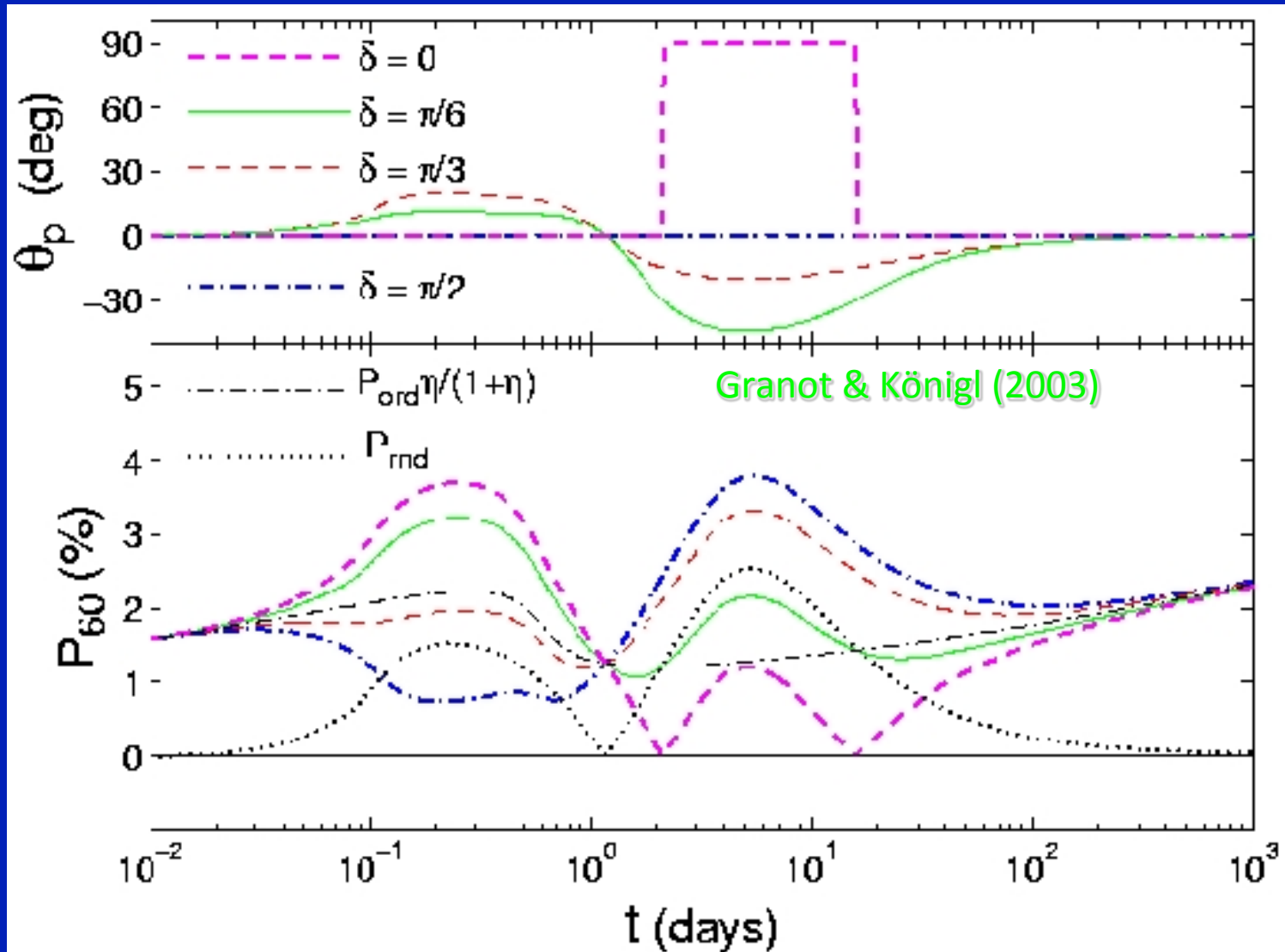
- $P_{\text{ord}} \sim P_{\text{max}} \sim 60\%$  &  $\theta_p = 90^\circ$  w.r.t. the direction of  $B_{\text{ord}}$
- In the afterglow we must have  $I_{\text{ord}} \ll I_{\text{rnd}}$  so that  $P \lesssim 3\%$  but we can still have  $I_{\text{ord}} P_{\text{ord}} \gtrsim I_{\text{rnd}} P_{\text{rnd}}$
- $\Rightarrow B_{\text{rnd}}$  dominates  $I_{\text{total}}$  but  $B_{\text{ord}}$  dominates  $IP$  &  $P_{\text{total}}$



Granot & Königl (2003)



- Adding evolution of  $I_{\text{ord}}/I_{\text{rnd}}$  with radius:  
can explain  $\theta_p \approx \text{const}$  & variable  $P$



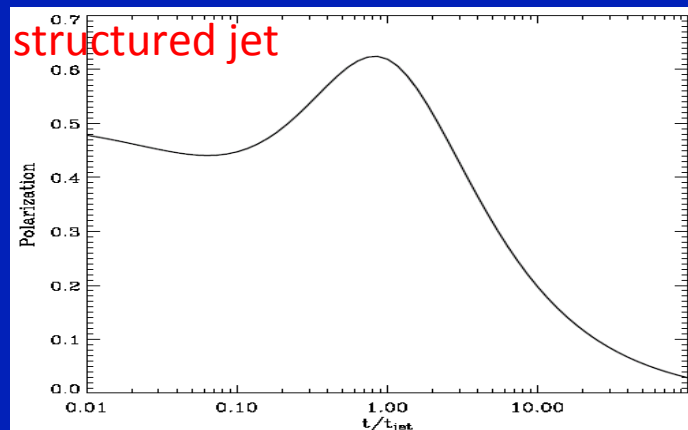
# Predictions for an ordered B-field:

- $P(t \ll t_j) \sim P(t \sim t_j)$  while for jet+B<sub>rnd</sub> models:  $P(t \ll t_j) \ll P(t \sim t_j)$
- Emission from the original ejecta (**prompt GRB & reverse shock**) may have  $P \sim P_{\max}$  ( $\lesssim 60\%$ ) due to an ordered B-field carried by the ejecta from the source
- If B<sub>ord</sub> in the ejecta is ordered on angles  $1/\Gamma_0 \lesssim \theta_B \lesssim 0.1$  then  $P \sim P_{\max} \times \min(1, \Gamma\theta_B)$  due to averaging over  $N \sim (\Gamma\theta_B)^{-2}$  incoherent patches
- $\Rightarrow P$  can be smaller &  $\theta_p$  different in the ‘radio flare’ ( $\Gamma \sim 10$ ) compared to the ‘optical flash’ ( $\Gamma \sim \Gamma_0 \sim 300$ )

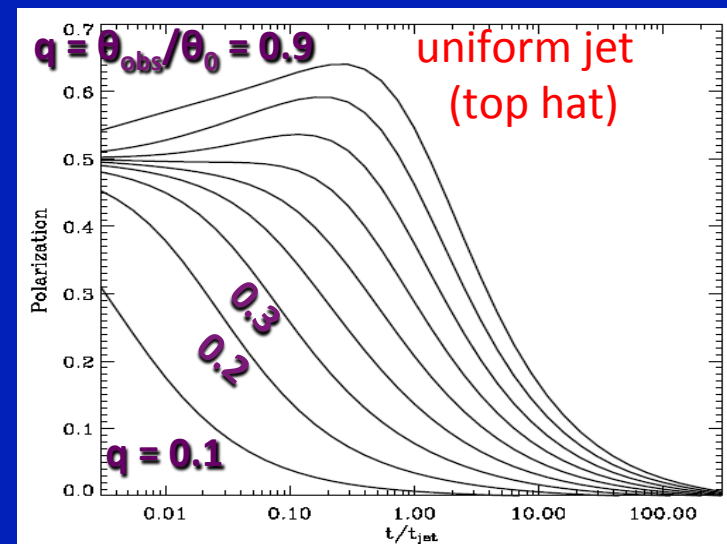


# Reverse shock Pol.: B-field in ejecta

- The existence of a reverse shock  $\Rightarrow \mathbf{E}_{\text{EM}} \lesssim \mathbf{E}_{\text{kin}} (\sigma \lesssim 1)$
- In the ‘optical flash’ the pol. should be similar to that in  $\gamma$ -rays, but much easier to measure & more reliable
- If  $\mathbf{B}_{\text{ord}}$  in the ejecta is ordered on angles  $1/\Gamma_0 \lesssim \theta_B < \theta_j$  then  $P \approx P_{\text{max}} \times \min(1, \Gamma\theta_B)$  due to averaging over  $N \sim (\Gamma\theta_B)^{-2}$  incoherent patches (Granot & Königl 03)  $\Rightarrow$  smaller  $P$  & different  $\theta_p$  in the ‘radio flare’ ( $\Gamma \sim 10$ )
- Toroidal B-field in the ejecta:



(Lazzati et al.  
2004)



B-field	Optical Flash	Radio Flare ( $t \sim t_j$ )
Shock Produced	$\theta_{\text{obs}} \lesssim \theta_j - 1/\Gamma: P \approx 0$ $\theta_{\text{obs}} \sim \theta_j + 1/\Gamma: P \lesssim 50\%$	pol. due to jet structure $\Rightarrow$ similar to afterglow
Uniform	$P \sim P_{\text{max}}$	$P \sim P_{\text{max}}$
Patches ( $\theta_B$ )	$\theta_B \gtrsim 1/\Gamma_0: P \sim P_{\text{max}}$	$P \sim P_{\text{max}} \times \min(1, \Gamma \theta_B)$
Toroidal	$1/\Gamma_0 \lesssim \theta_{\text{obs}} \lesssim \theta_j:$ $P \sim P_{\text{max}}$	structured jet: $P \sim P_{\text{max}}$ tophat: $P \sim P_{\text{max}} (\theta_{\text{obs}}/\theta_j)^2$

# Upper Limits on Polarization of Radio Flare Emission (Granot & Taylor 2005)

<b>GRB</b>	<b>t (days)</b>	<b>t<sub>j</sub> (days)</b>	<b><math>\Pi_L</math> (3 <math>\sigma</math>)</b>	<b><math>\Pi_C</math> (3 <math>\sigma</math>)</b>
990123	1.25	$\approx 2$	$< 23\%$	$< 32\%$
991216	1.49	$\sim 2$	$< 11\%$	$< 17\%$
	2.68		$< 9\%$	$< 15\%$
	1.49, 2.68		$< 7\%$	$< 9\%$
020405	1.19	$\sim 1-2$	$< 11\%$	$< 19\%$

- Probably almost no depolarization in the host galaxy
- Likely no significant depolarization in the source due to different amounts of Faraday rotation; hard to rule out

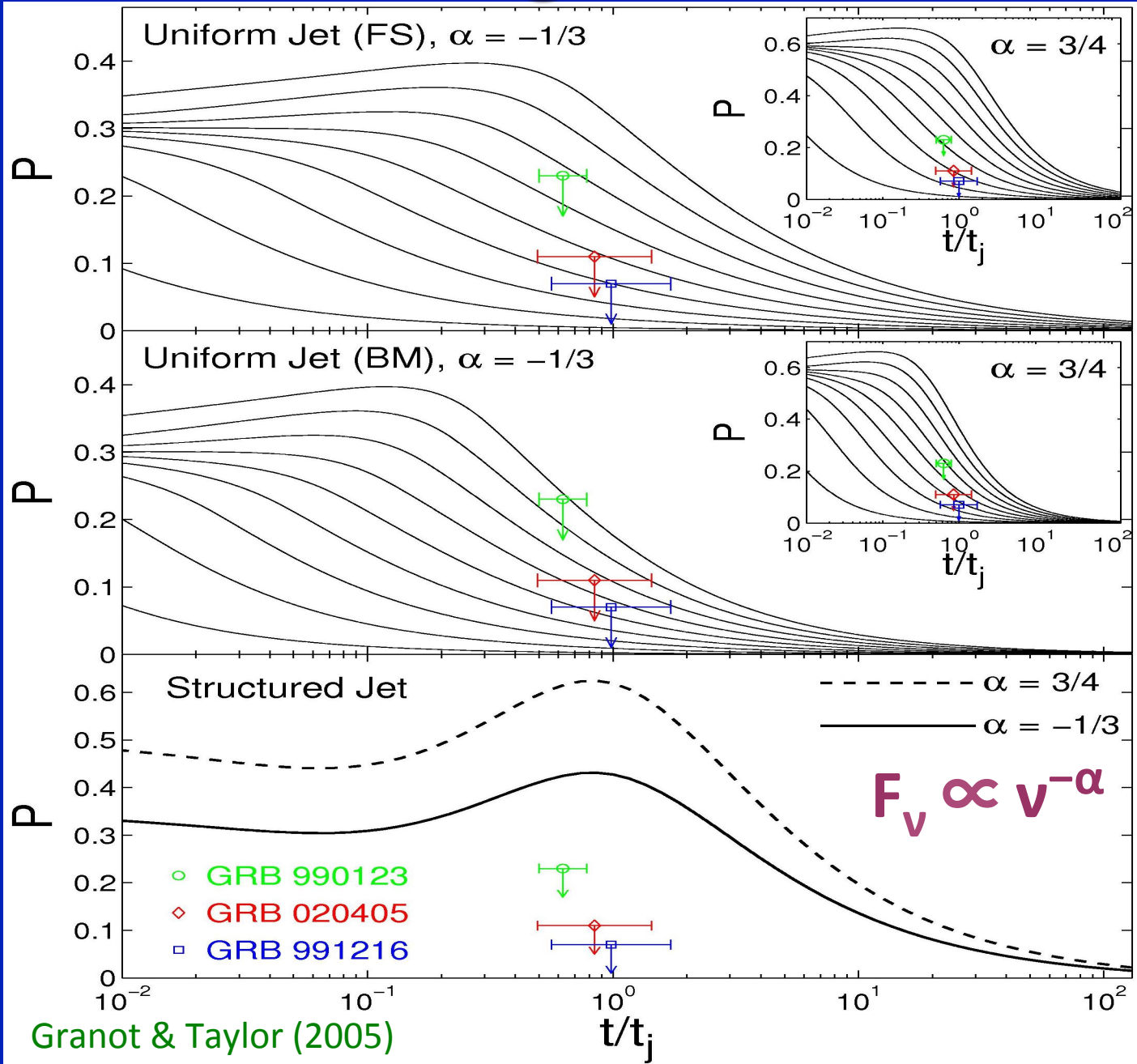
# Toroidal Magnetic Field:

## Dynamics of the Ejecta:

$\Gamma(t)$  follows that of the forward shock

$\Gamma(t)$  follows the Blandford & McKee self similar solution

$\Gamma(t)$  follows that of the forward shock

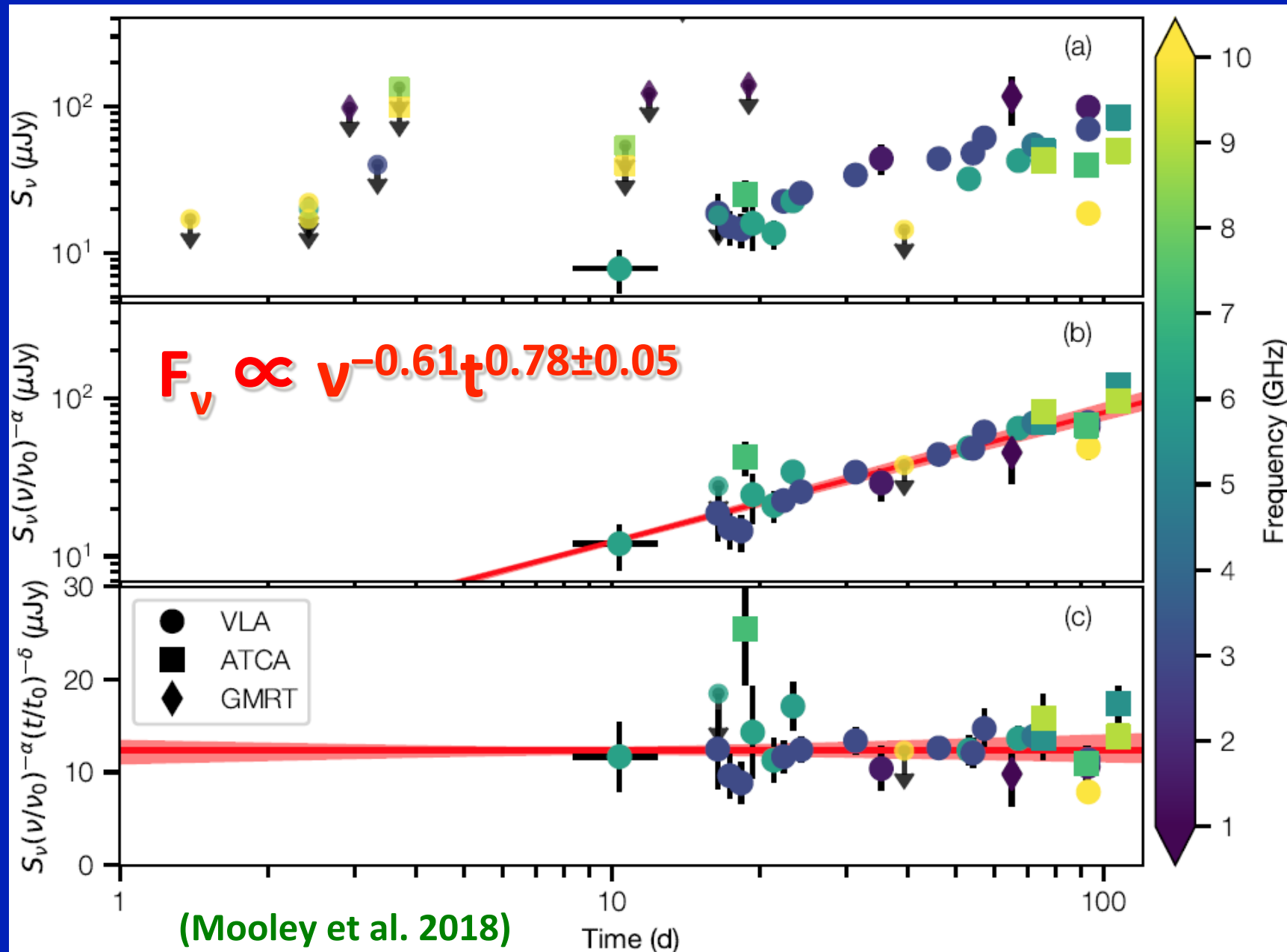


# Implications of the Upper limits on the Radio Flare Polarization

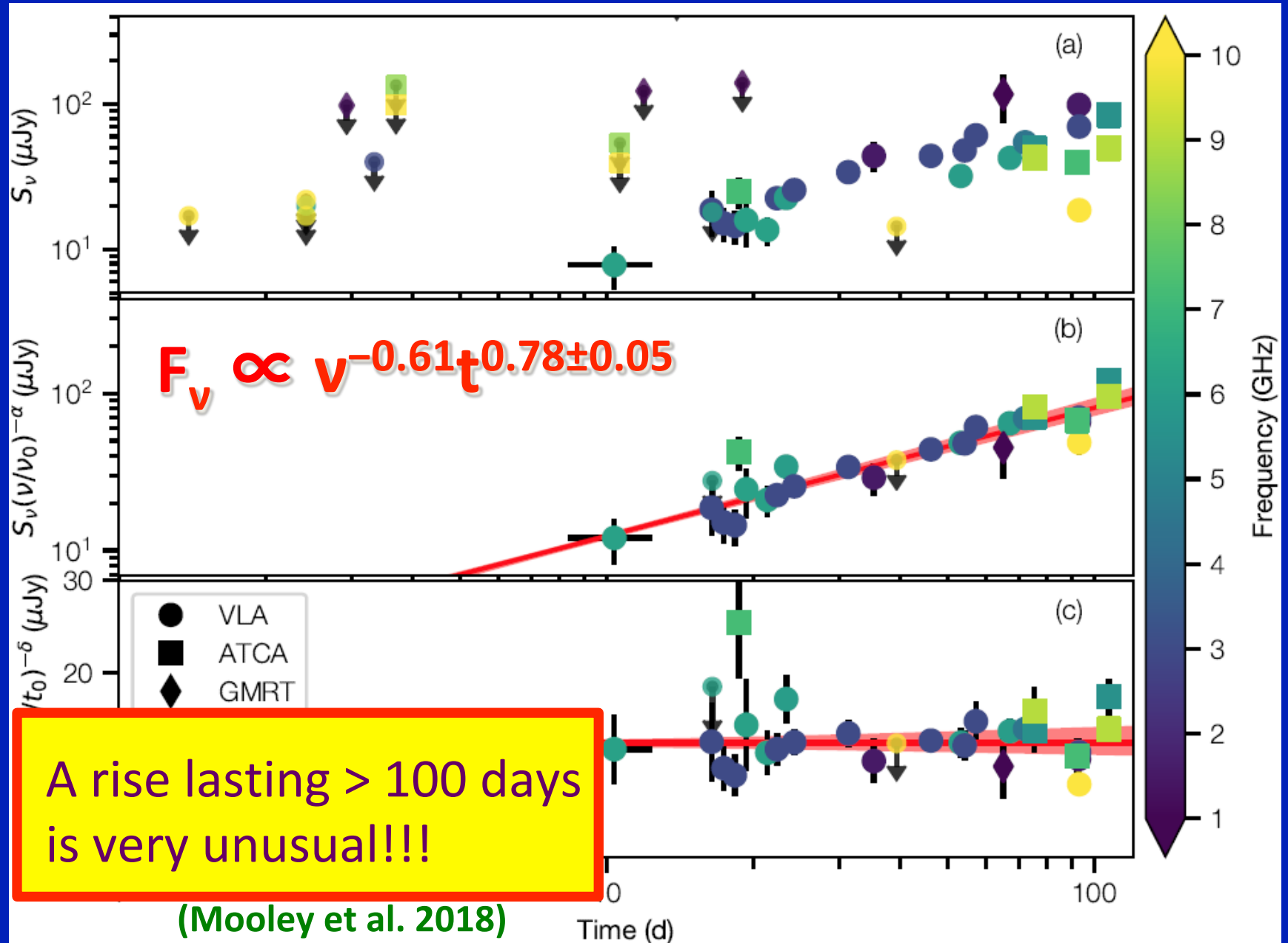
B-field structure	Theoretical prediction	Theory vs. Observation
Shock Produced	pol. due to jet structure $\Rightarrow$ similar to afterglow	✓
Uniform	$P \sim P_{\max}$	X
Patches ( $\theta_B$ )	$P \sim P_{\max} \times \min(1, \Gamma \theta_B)$	$\theta_B \lesssim P_{\lim} / \Gamma P_{\max} \sim 10^{-2}$
Toroidal	structured jet: $P \sim P_{\max}$ tophat: $P \sim P_{\max} (\theta_{\text{obs}} / \theta_j)^2$	X $\theta_{\text{obs}} / \theta_j \lesssim 0.4 - 0.55$



# GRB 170817A: afterglow observations



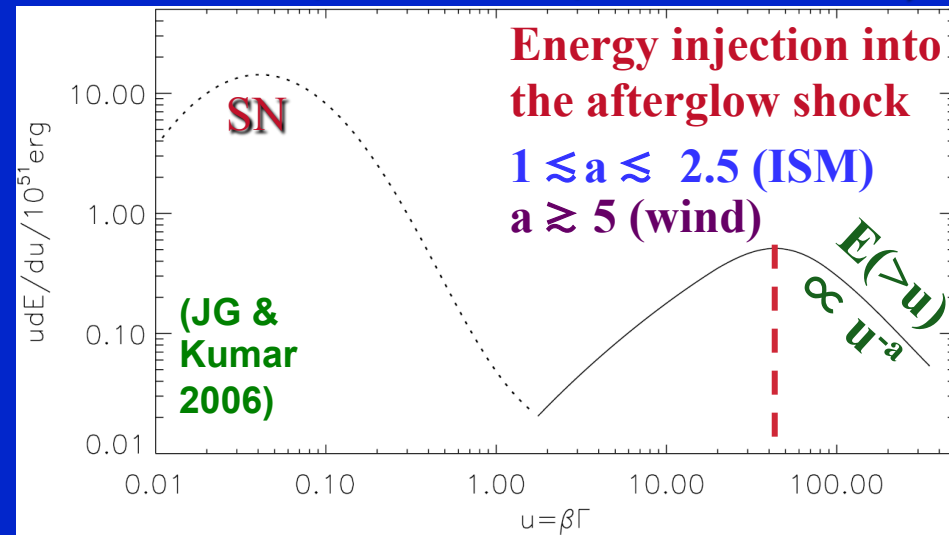
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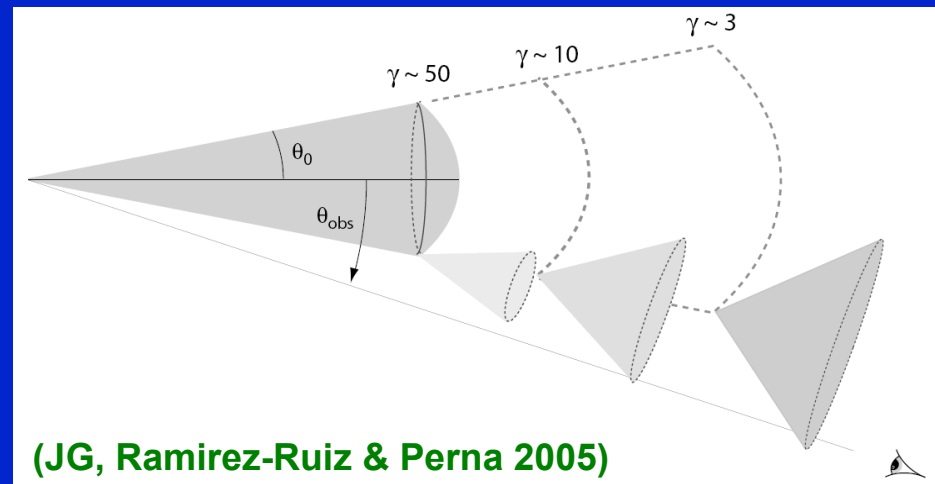
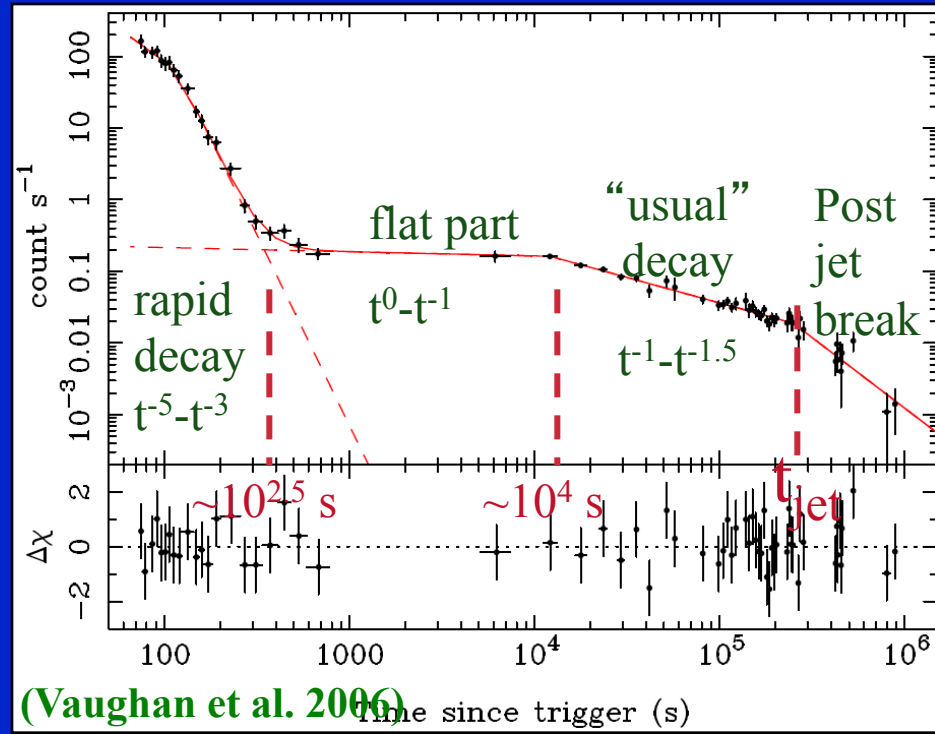
# Analogy to rising $F_\nu$ : X-ray Plateaus

## ■ Possible solutions:

- ◆ Evolution of shock microphysical parameters (JG, Konigl & Piran 2006)
- ◆ Energy injection into ext. shock:
  1. long-lived relativistic wind
  2. slower ejecta catching up (Sari & Meszaros 00; Nousek+ 06; JG & Kumar 06)



## ◆ Viewing angle effects

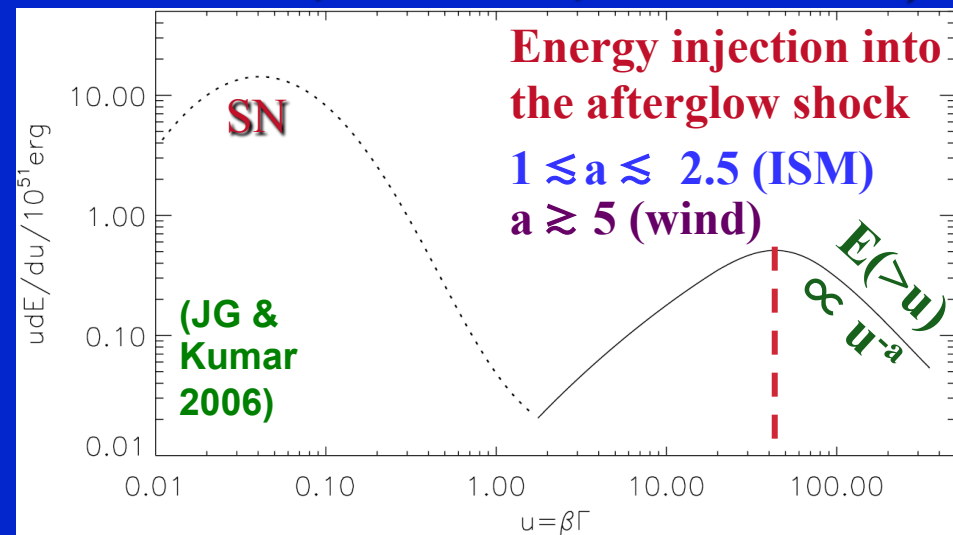


(JG, Ramirez-Ruiz & Perna 2005)

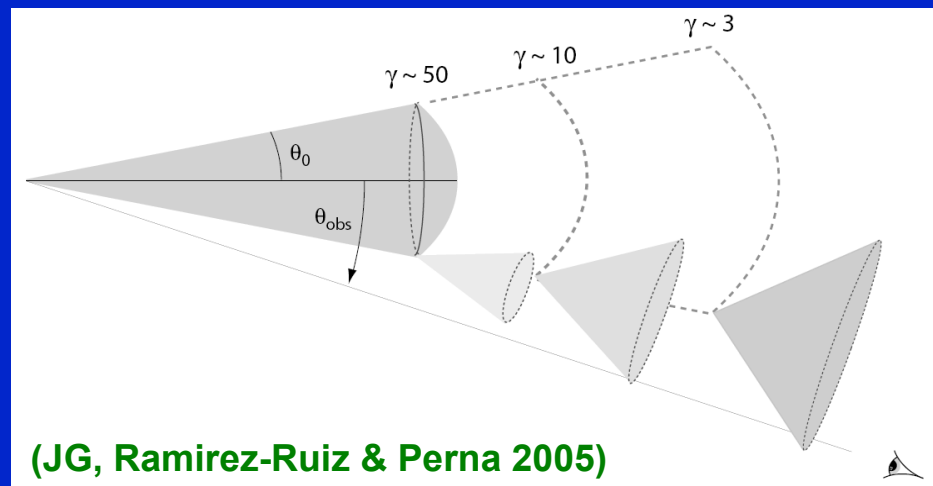
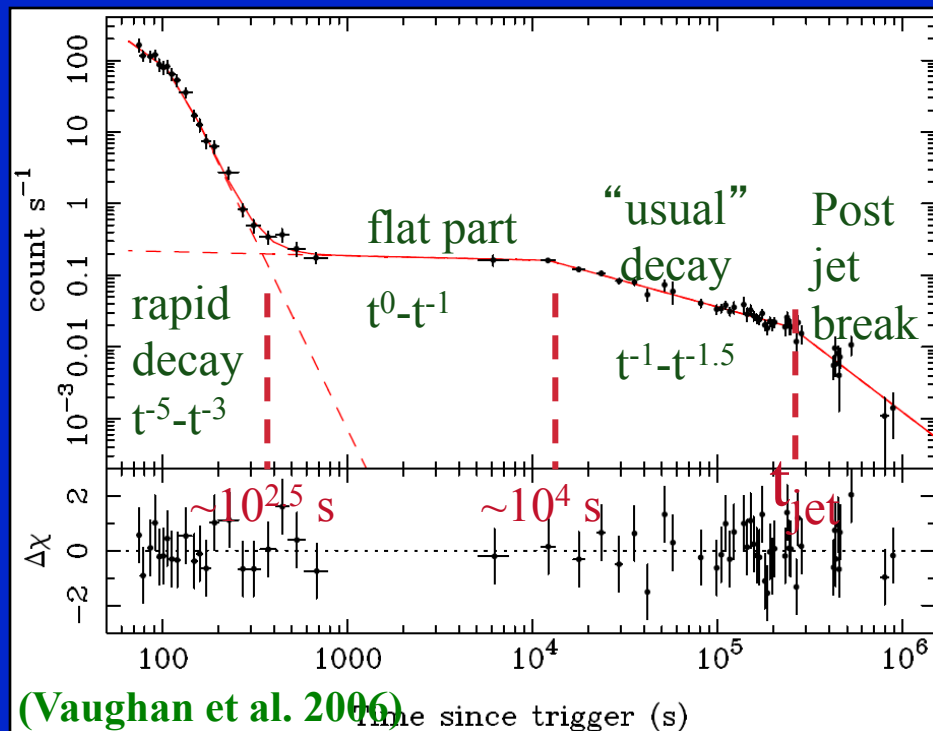
# Analogy to rising $F_\nu$ : X-ray Plateaus

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- ◆ Evolution of shock microphysical parameters (JG, Konigl & Piran 2006)
- ◆ Energy injection into ext. shock:
  1. long-lived relativistic wind
  2. slower ejecta catching up **radial** (Sari & Meszaros 00; Nousek+ 06; JG & Kumar 06)

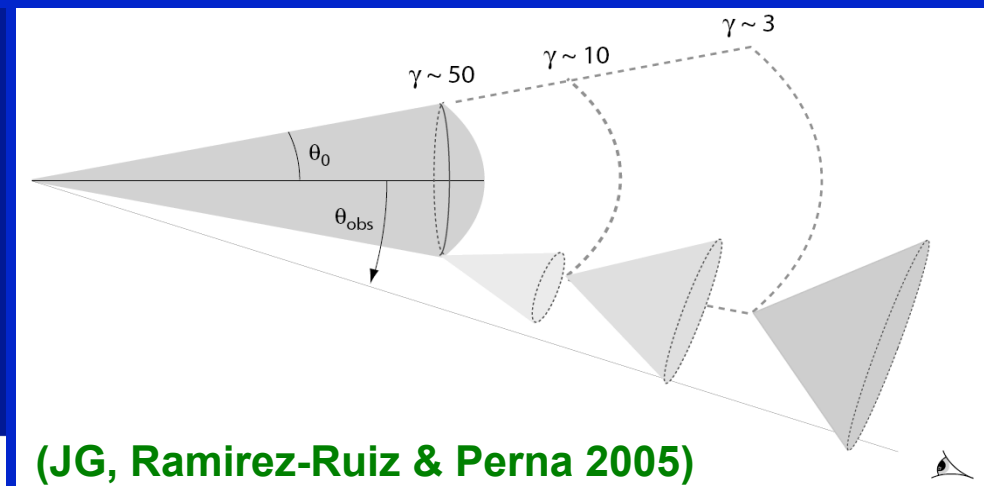
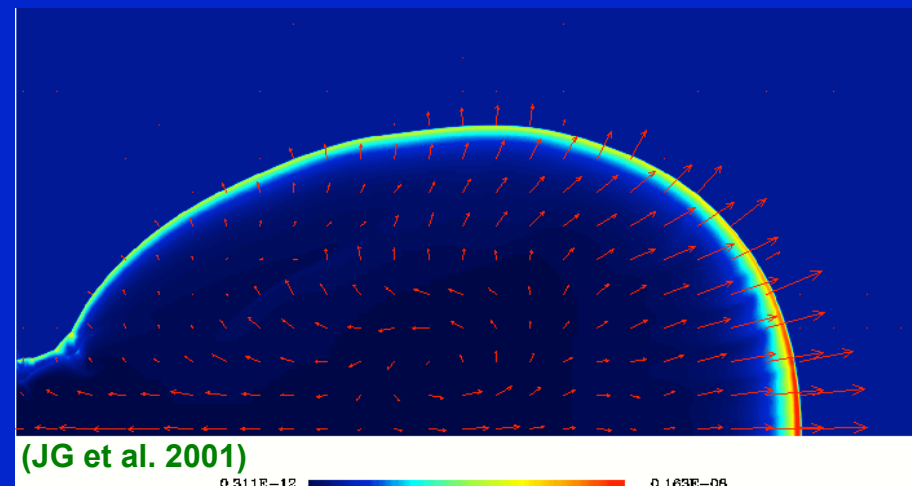
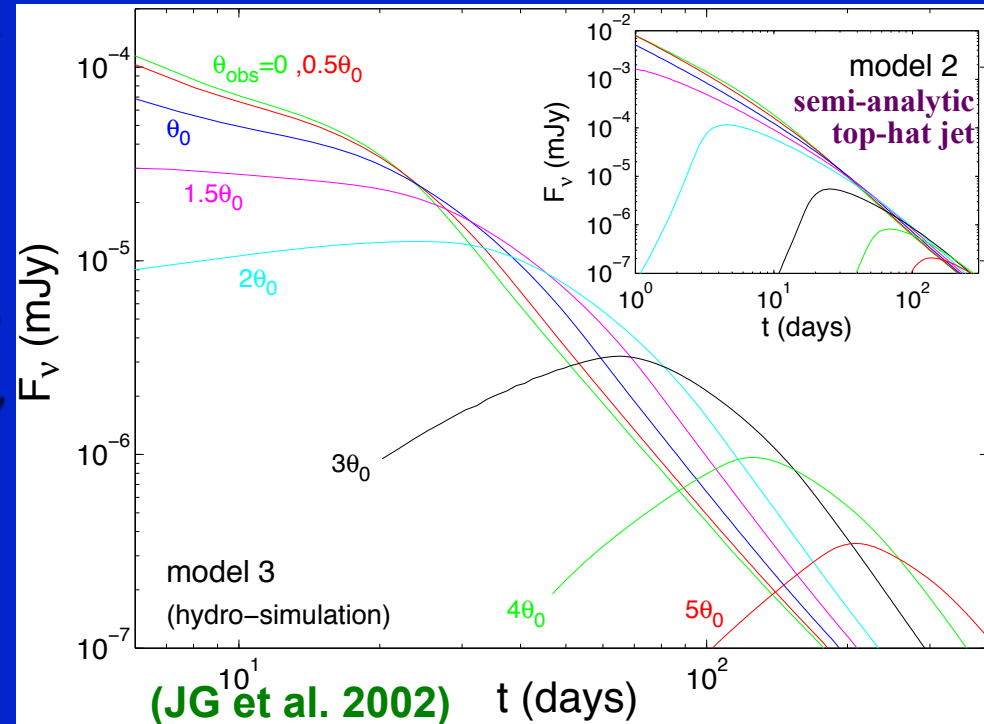


- ◆ Viewing angle effects **angular**



# Off-Axis Afterglow Lightcurves

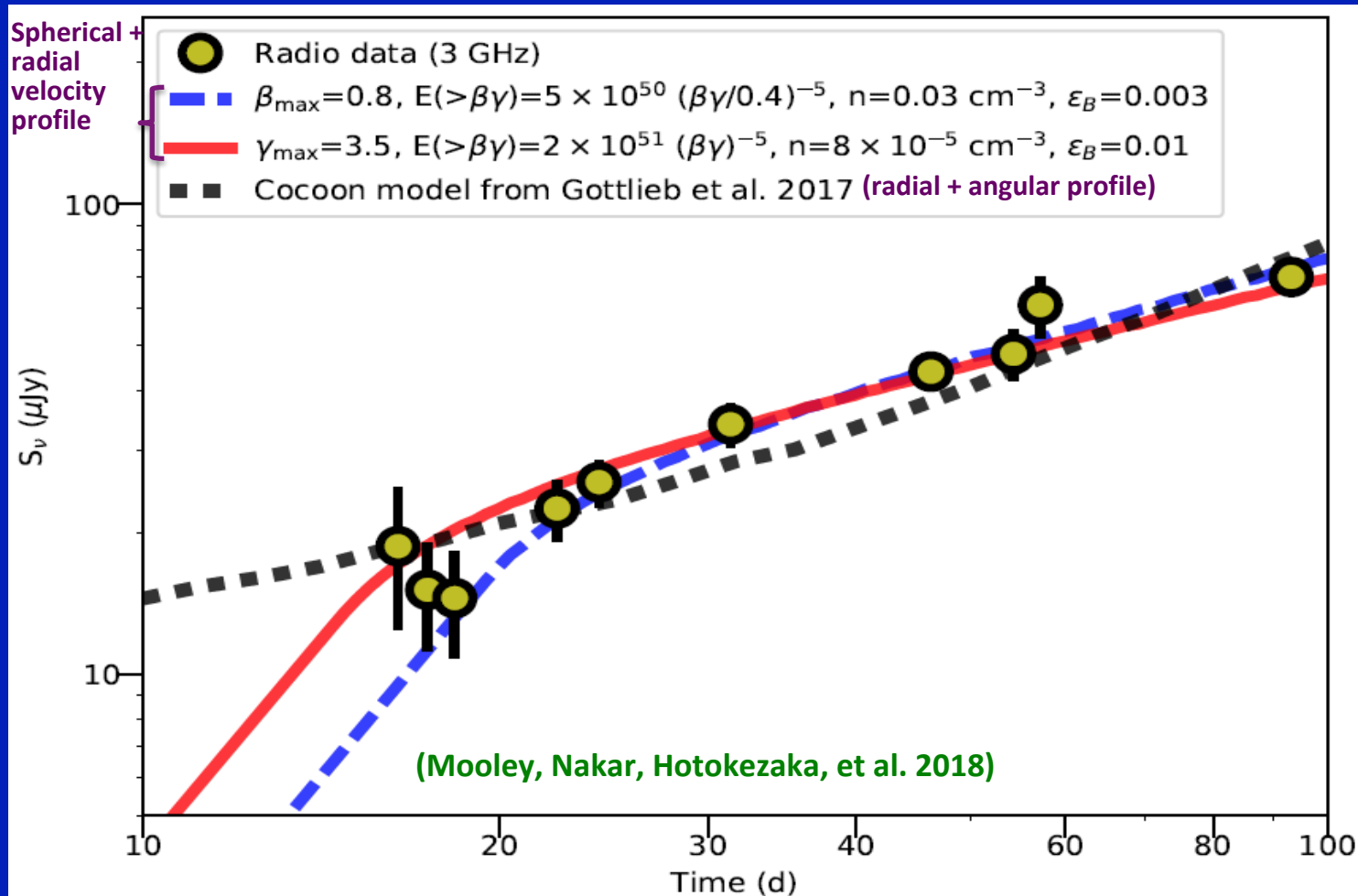
- The emission is initially strongly beamed away from our L.o.S
- $F_\nu$  rises as beaming cone widens
- When beaming cone reaches LoS  $F_\nu$  peaks & approaches on-axis  $F_\nu$
- The rise is much more gradual for hydrodynamic simulations due to slower matter at the jet's sides with non-radial velocities





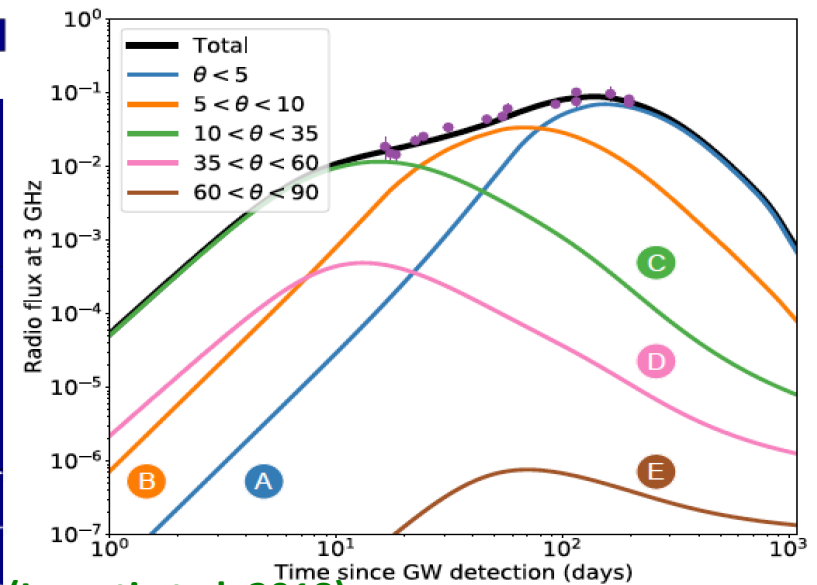
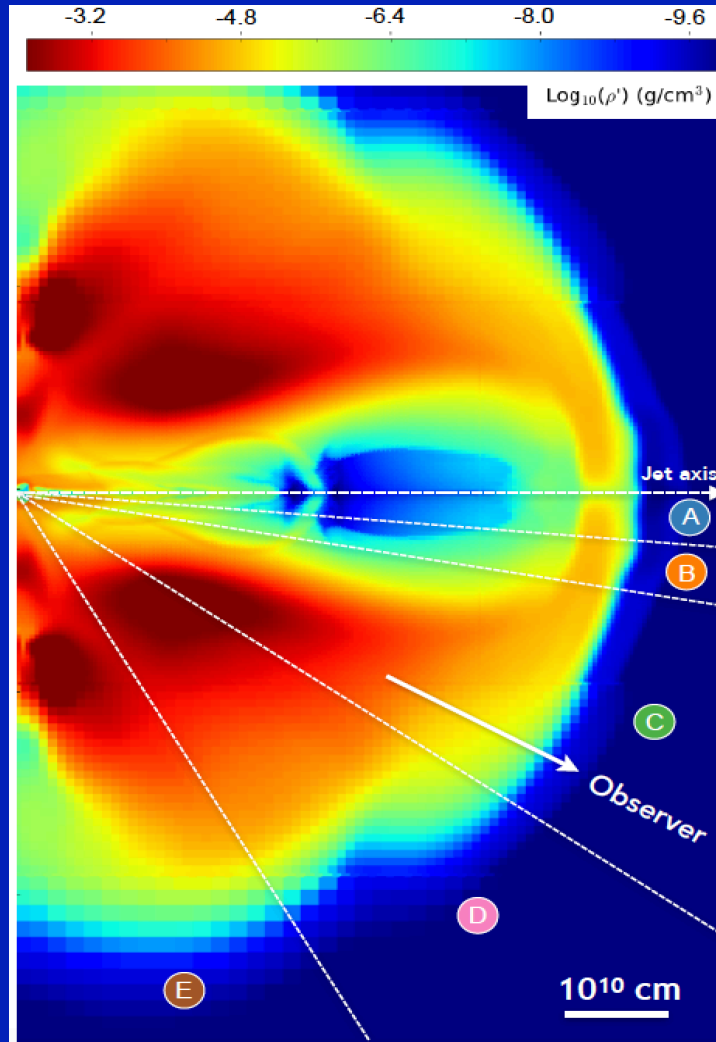
# GRB170817 outflow structure: prompt, afterglow

- Cocoon model (Kasliwal+17; Mooley+18; Nakar & Piran 18):  $r$  &  $\theta$  profile
- ◆ Cocoon-driven shock breakout can naturally produce the  $\gamma$ -rays (Kasliwal+17; Gottlieb+17; Bromberg+18; Nakar & Piran 18; Nakar+18)

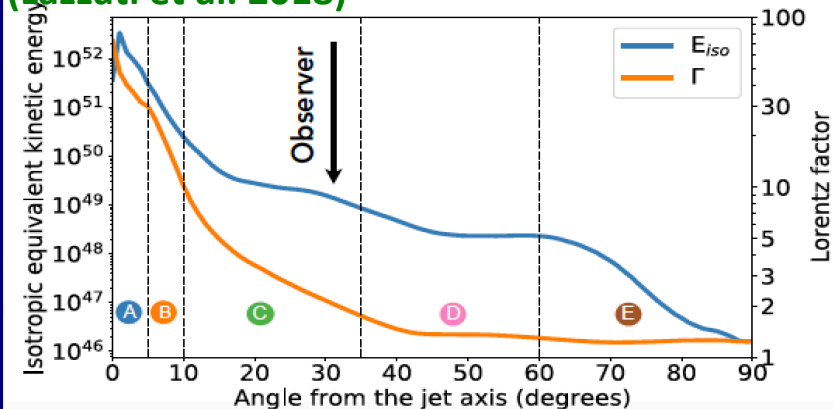


# GRB170817 outflow structure: the afterglow

- A structured jet explanation (Lazzati+17; Margutti+18; Gill & JG 18;...):
  - ◆ Simulation of jet breaking out of the Newtonian ejecta near a NS-NS merger site: the **cocoon** energizes the jet's sides/wings
  - ◆ Afterglow dominated by  $\theta$  profile



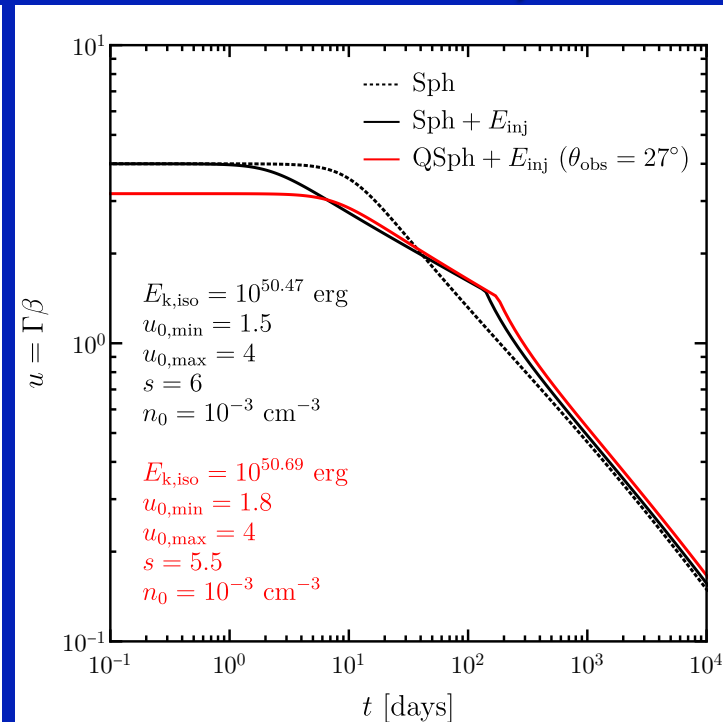
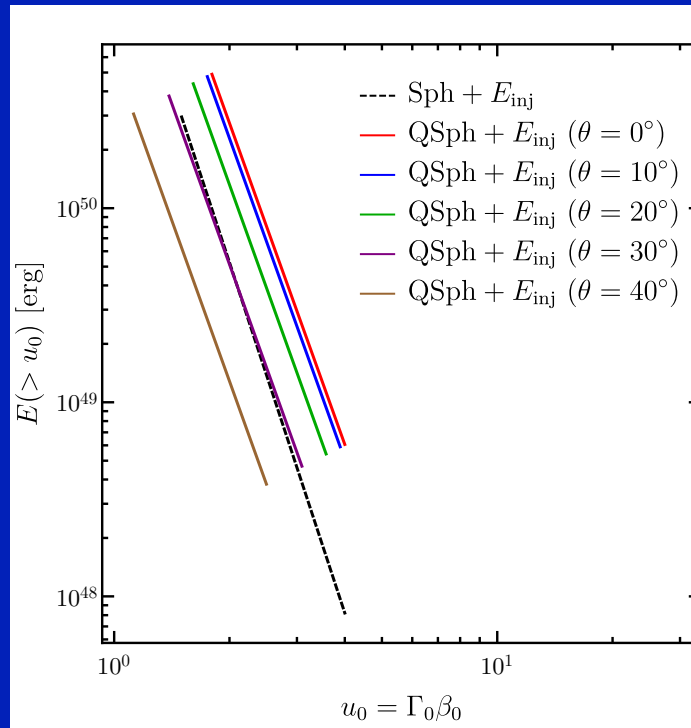
(Lazzati et al. 2018)



# Outflow structure: breaking the degeneracy (Gill & JG 18)

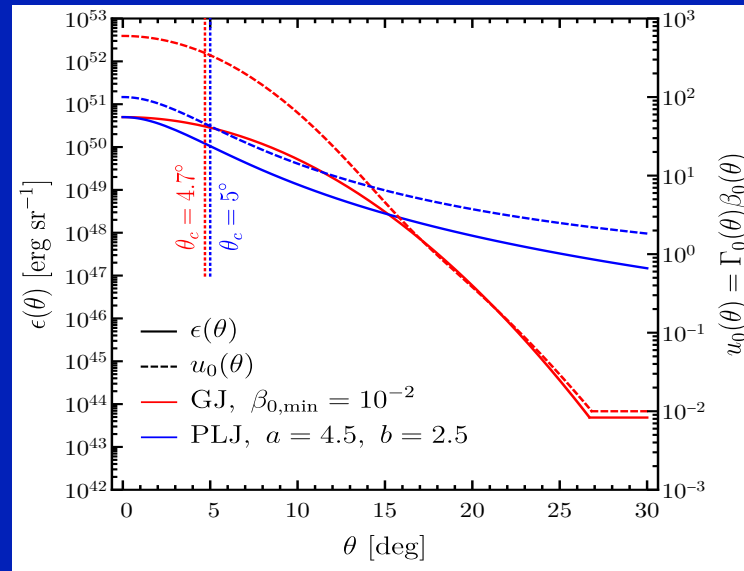
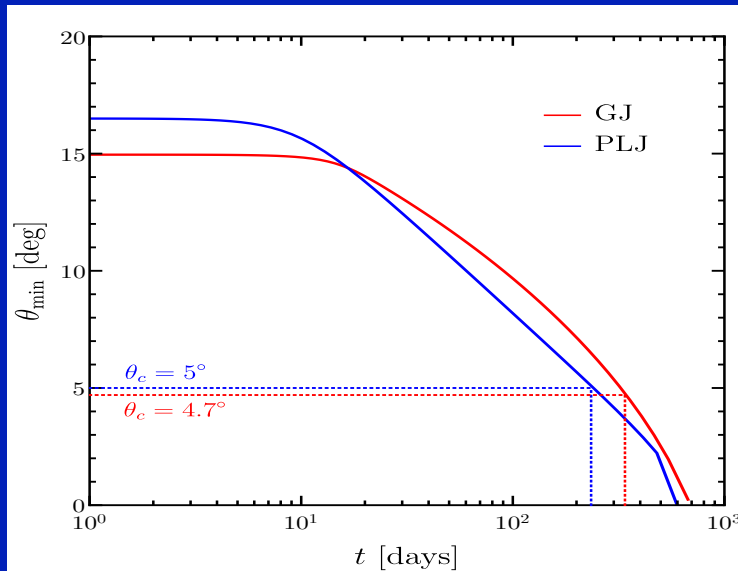
- The lightcurves leave a lot of degeneracy between models
- The degeneracy may be lifted by calculation the afterglow **images & polarization** (e.g. Nakar & Piran 2018; Nakar et al. 2018)
- We considered 4 different models including both main types
  - ◆ Sph+ $E_{\text{inj}}$ : Spherical with energy injection  $E(>u=\Gamma\beta) \propto u^{-6}$ ,  $1.5 < u < 4$
  - ◆ QSph+ $E_{\text{inj}}$ : Quasi-Spherical+energy injection  $E(>u) \propto u^{-s}$ ,  $u_{\text{min},0}=1.8$   
 $u_{\text{max},0} = 4$ ,  
 $s = 5.5$ ,  $\zeta = 0.1$

$$\frac{\epsilon(\theta)}{\epsilon_0} = \frac{u_{0,\text{min}}(\theta)}{u_{\text{min},0}} = \frac{u_{0,\text{max}}(\theta)}{u_{\text{max},0}} = \frac{\zeta + \cos^2 \theta}{\zeta + 1}$$



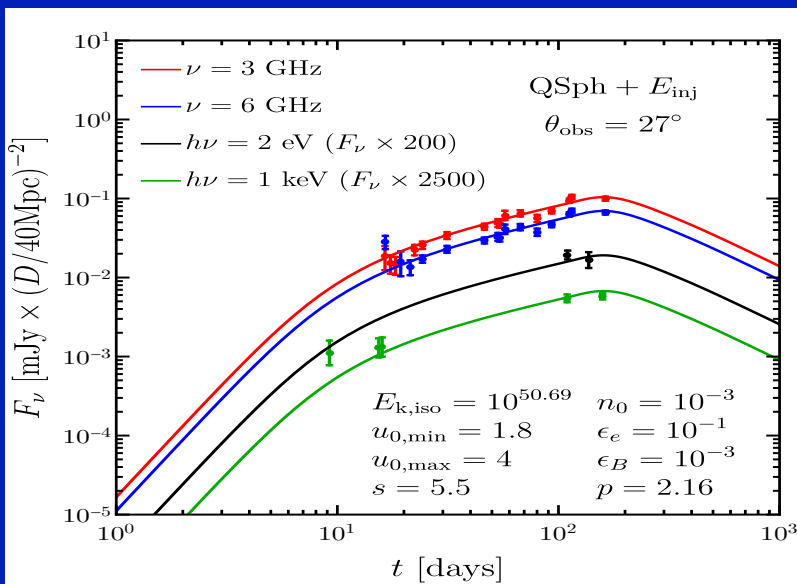
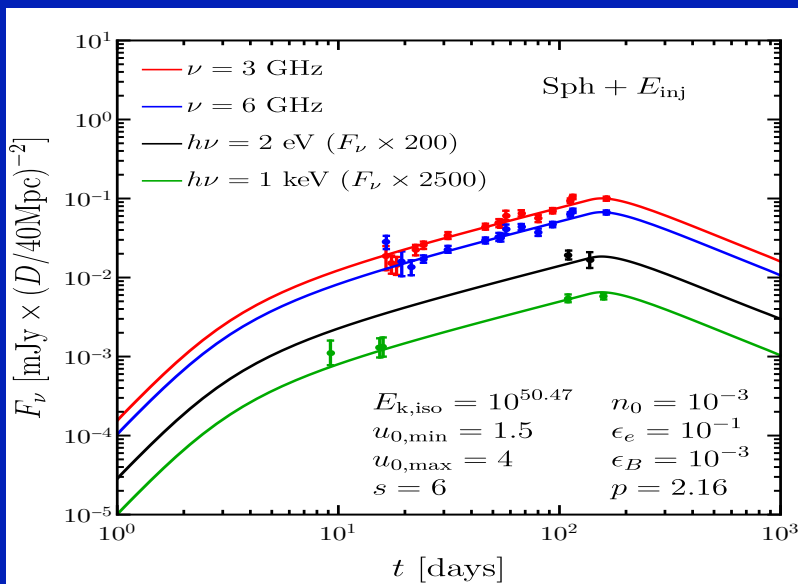
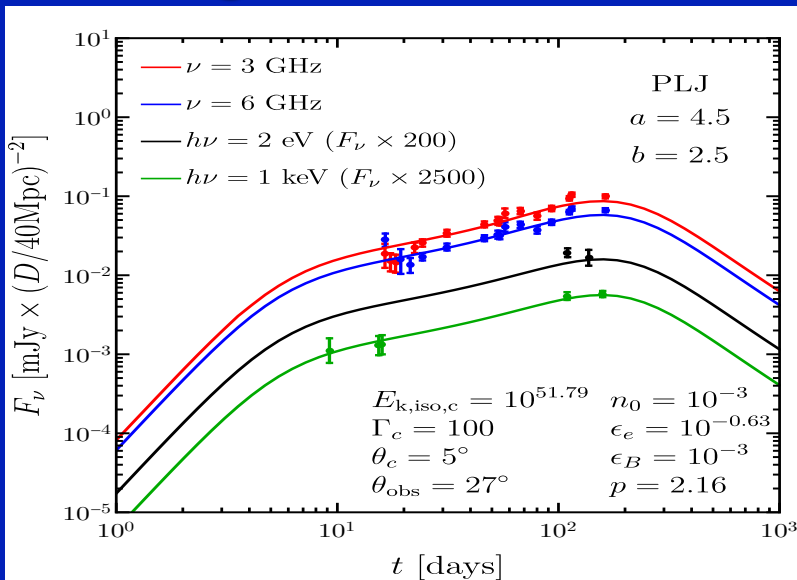
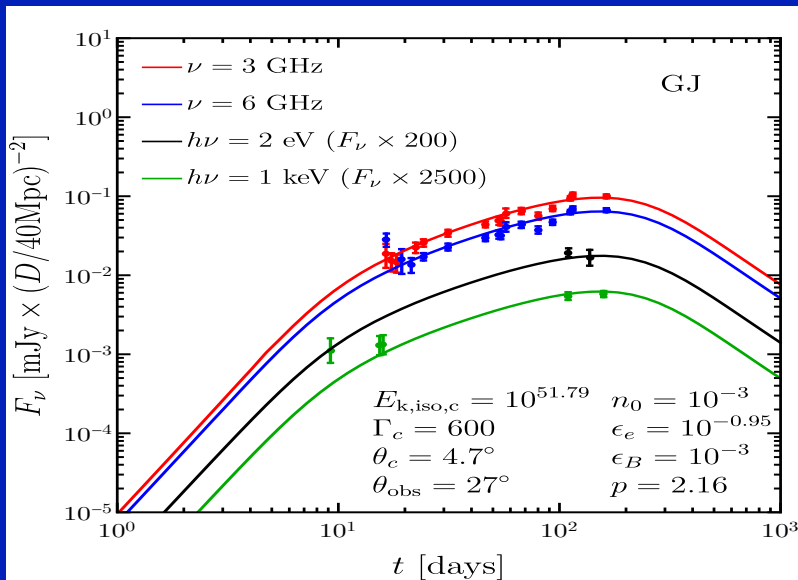
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- The degeneracy may be lifted by calculation the afterglow **images & polarization** (e.g. Nakar & Piran 2018; Nakar et al. 2018)
- We considered 4 different models including both main types
  - ◆ GJ: Gaussian Jet (in  $\varepsilon = dE/d\Omega$ ,  $\Gamma_0 - 1$ )  $\Gamma_c = 600$ ,  $\theta_c = 4.7^\circ$
  - ◆ PLJ: Power-Law Jet;  $\varepsilon = \varepsilon_c \Theta^{-a}$ ,  $\Gamma_0 - 1 = (\Gamma_c - 1) \Theta^{-b}$ ,  $\Theta = [1 + (\theta/\theta_c)^2]^{1/2}$   
 $\Gamma_c = 100$ ,  $\theta_c = 5^\circ$ ,  $a = 4.5$ ,  $b = 2.5$
- As there is a lot of freedom we fixed:  $p = 2.16$ ,  $\varepsilon_B = n_0 = 10^{-3}$ ,  $\theta_{\text{obs}} = 27^\circ$



# The outflow structure: breaking the degeneracy

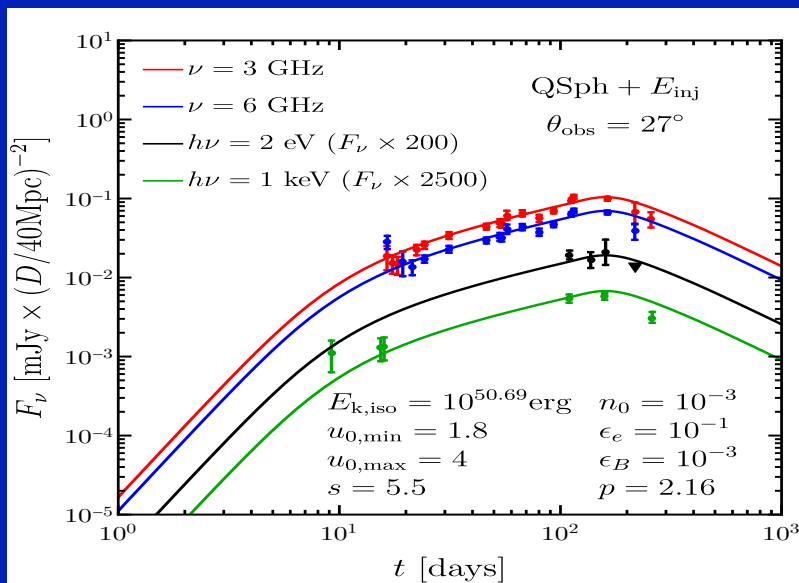
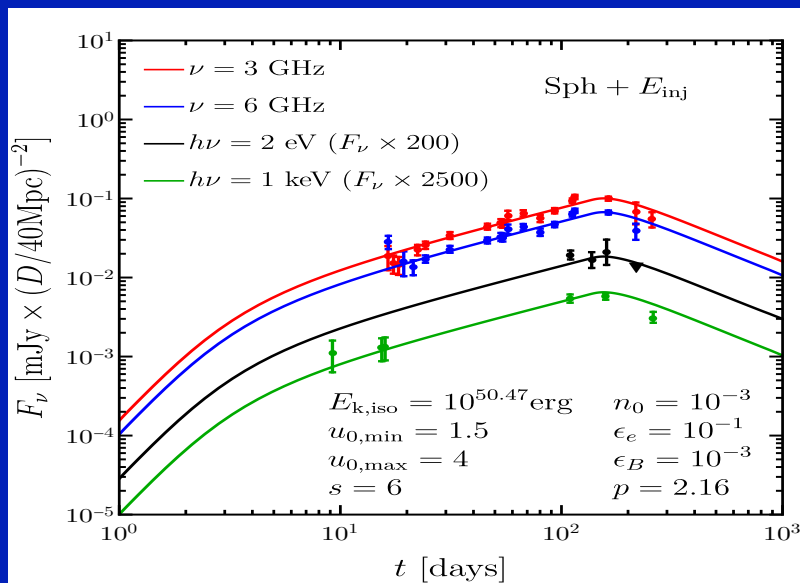
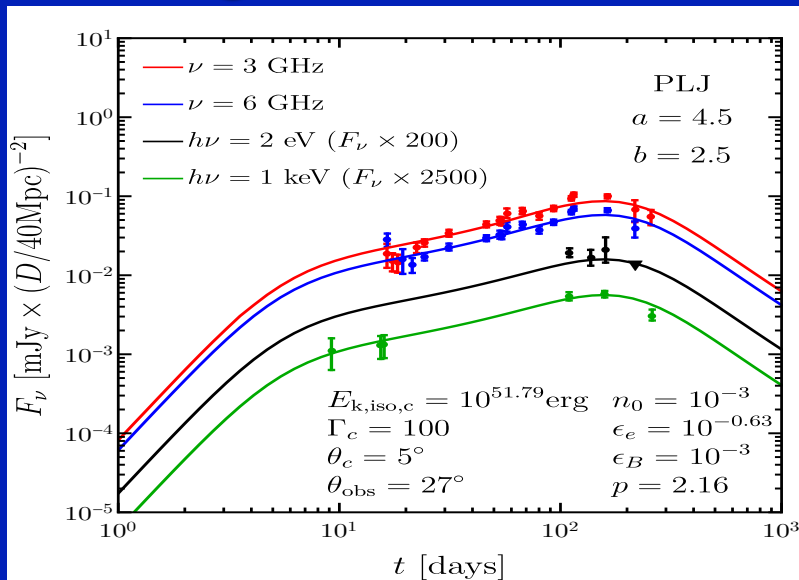
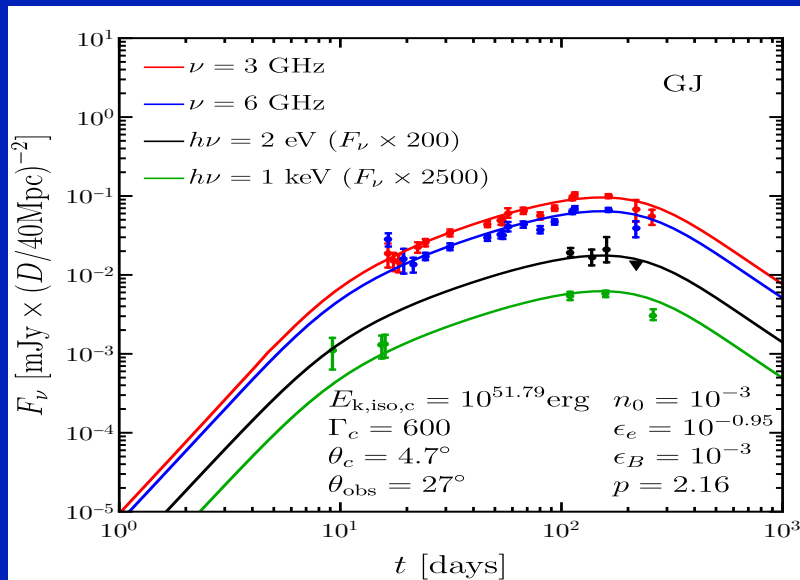
## ■ Tentative fit to GRB170817A afterglow data (radio to X-ray)





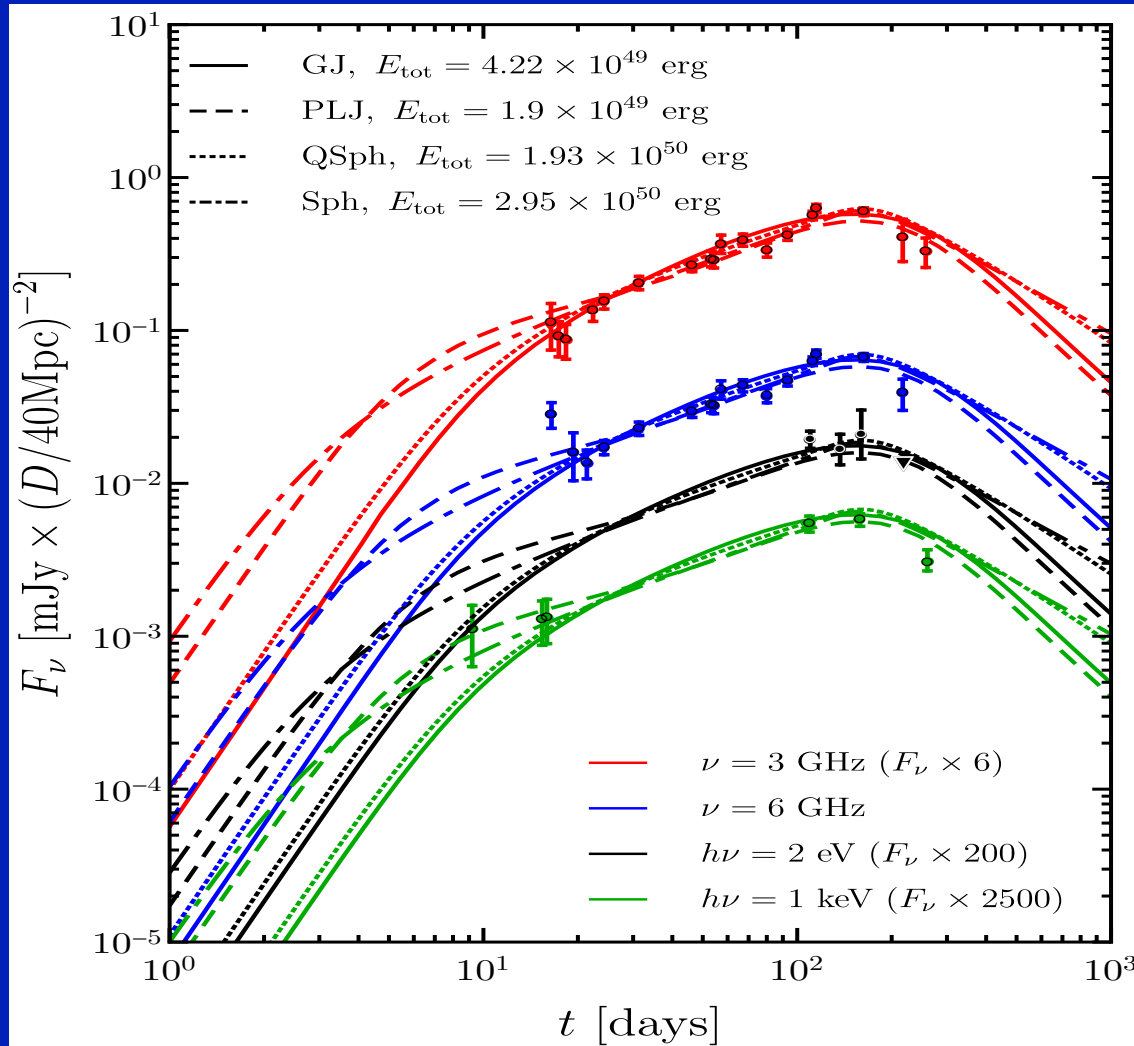
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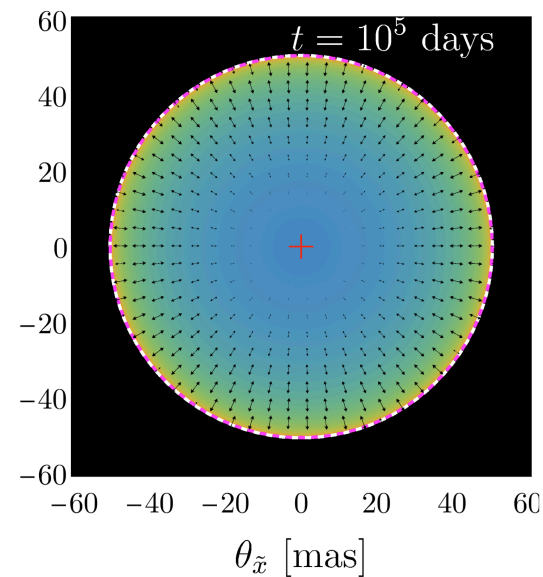
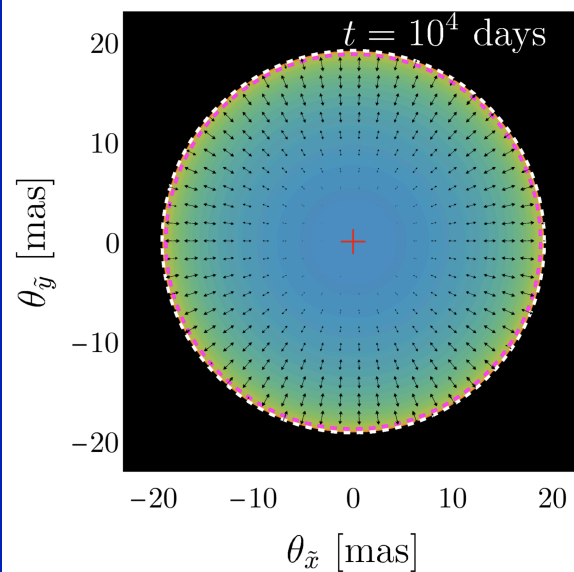
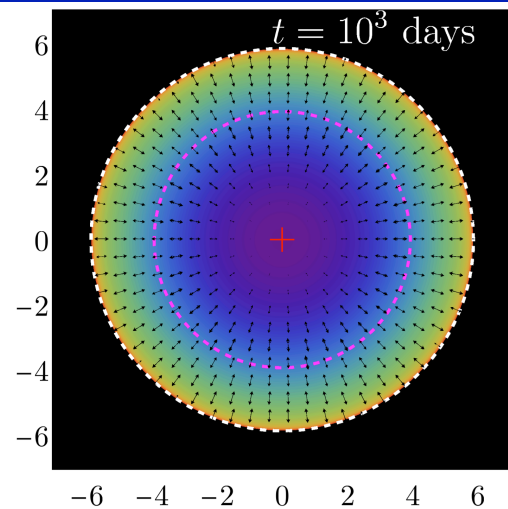
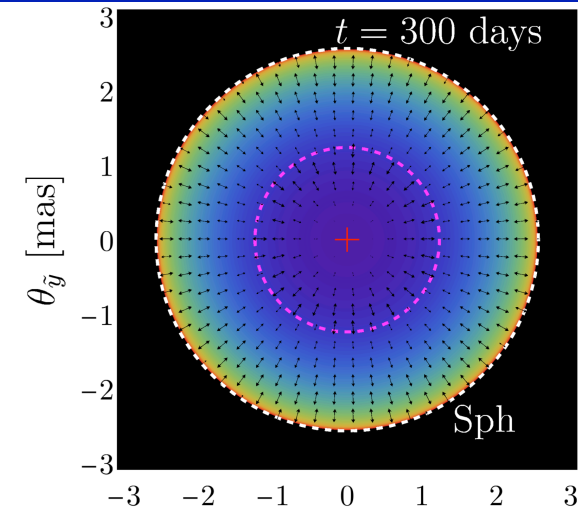
# The outflow structure: breaking the degeneracy

- New data that came out established a peak at  $t_p \sim 150$  days
- The jet models decay faster (slightly preferred by the latest data)

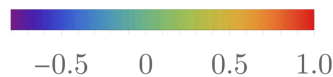


Decay:  $\sim t^{-2.2}$   
(Mooley+18)

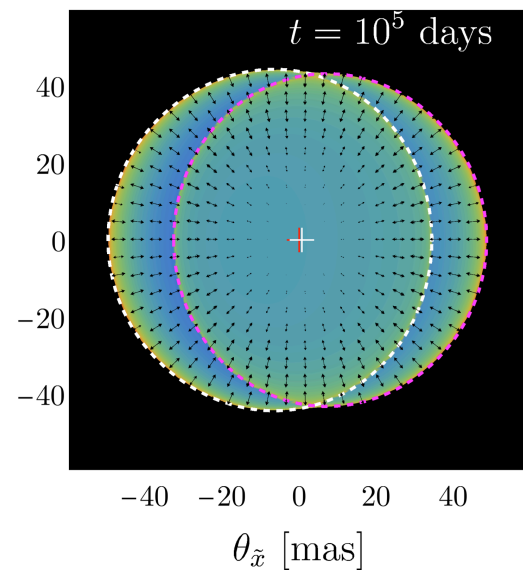
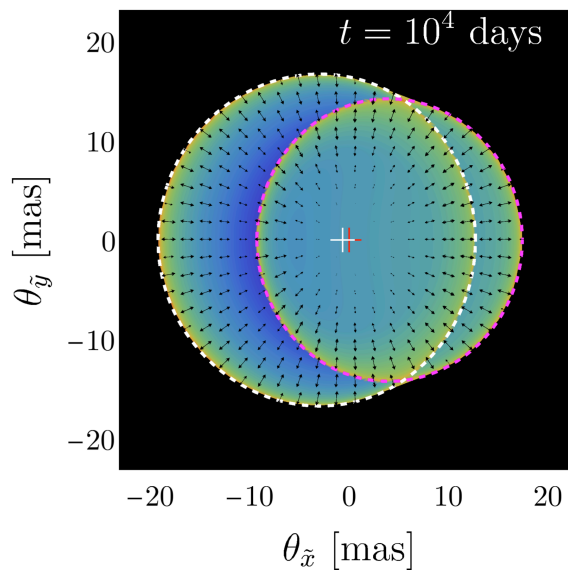
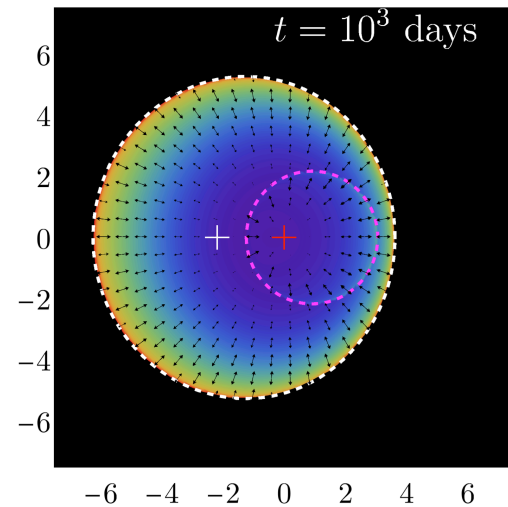
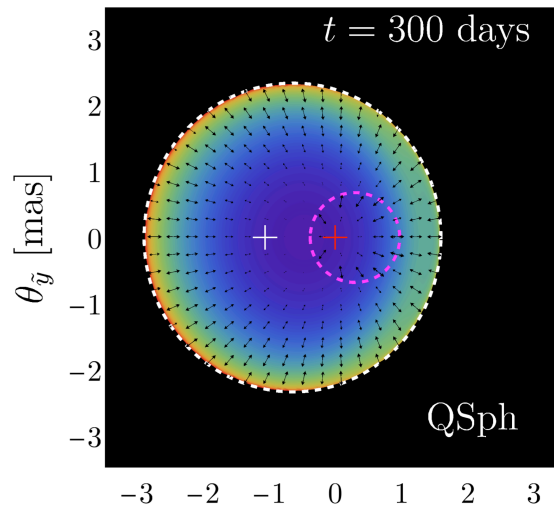
# Afterglow Images: **Sph** + **E<sub>inj</sub>**



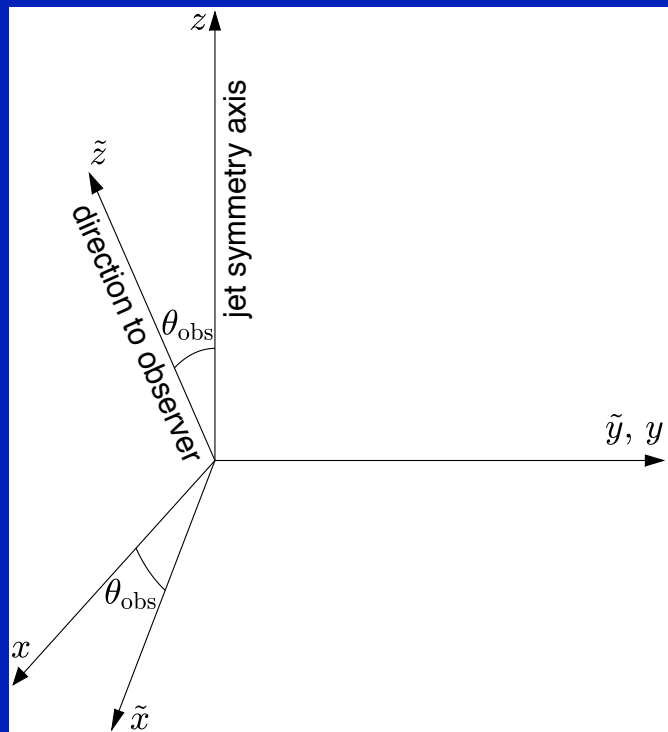
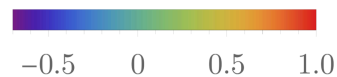
$\text{Log}_{10}(I_{\nu}/\langle I_{\nu} \rangle)$



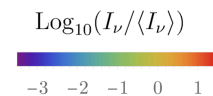
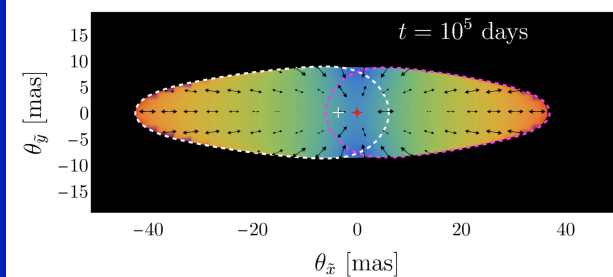
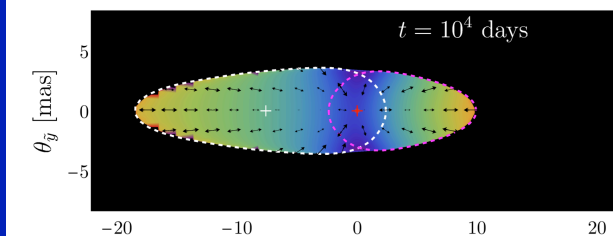
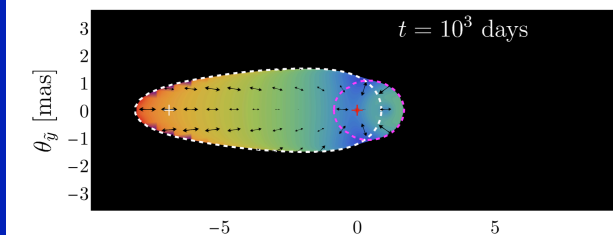
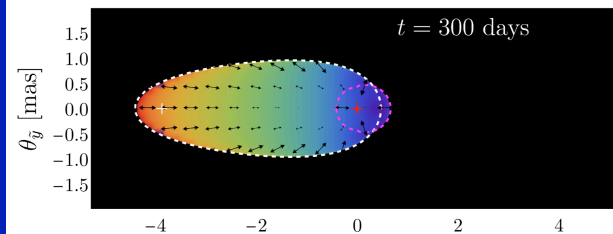
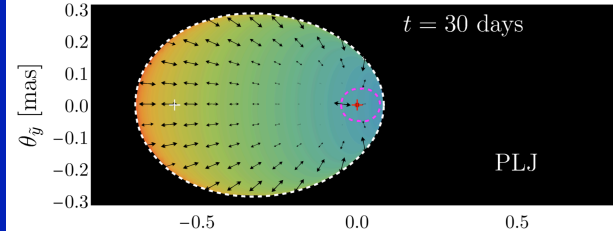
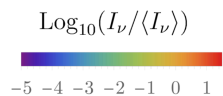
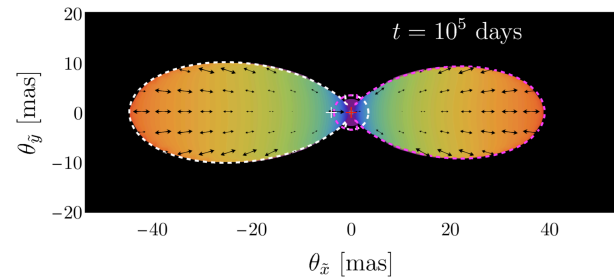
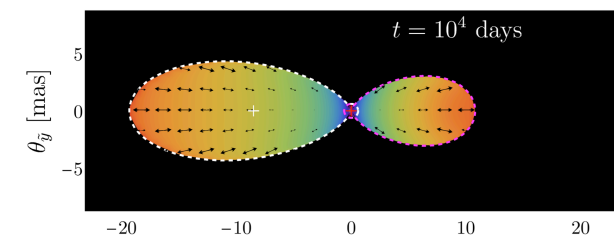
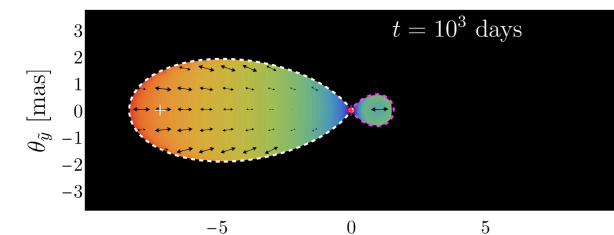
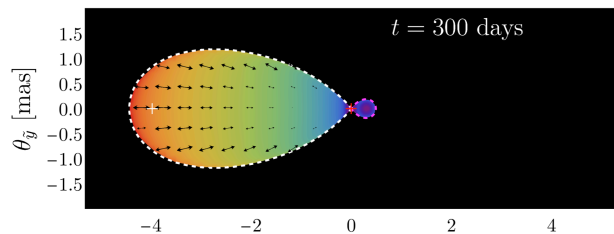
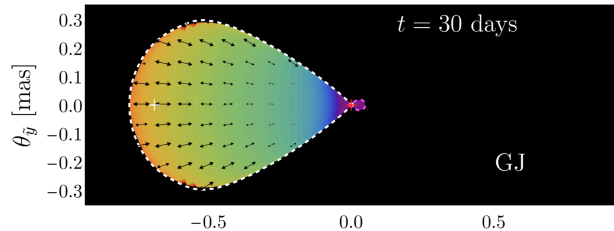
# Afterglow Images: QSph + $E_{\text{inj}}$



$\text{Log}_{10}(I_{\nu}/\langle I_{\nu} \rangle)$



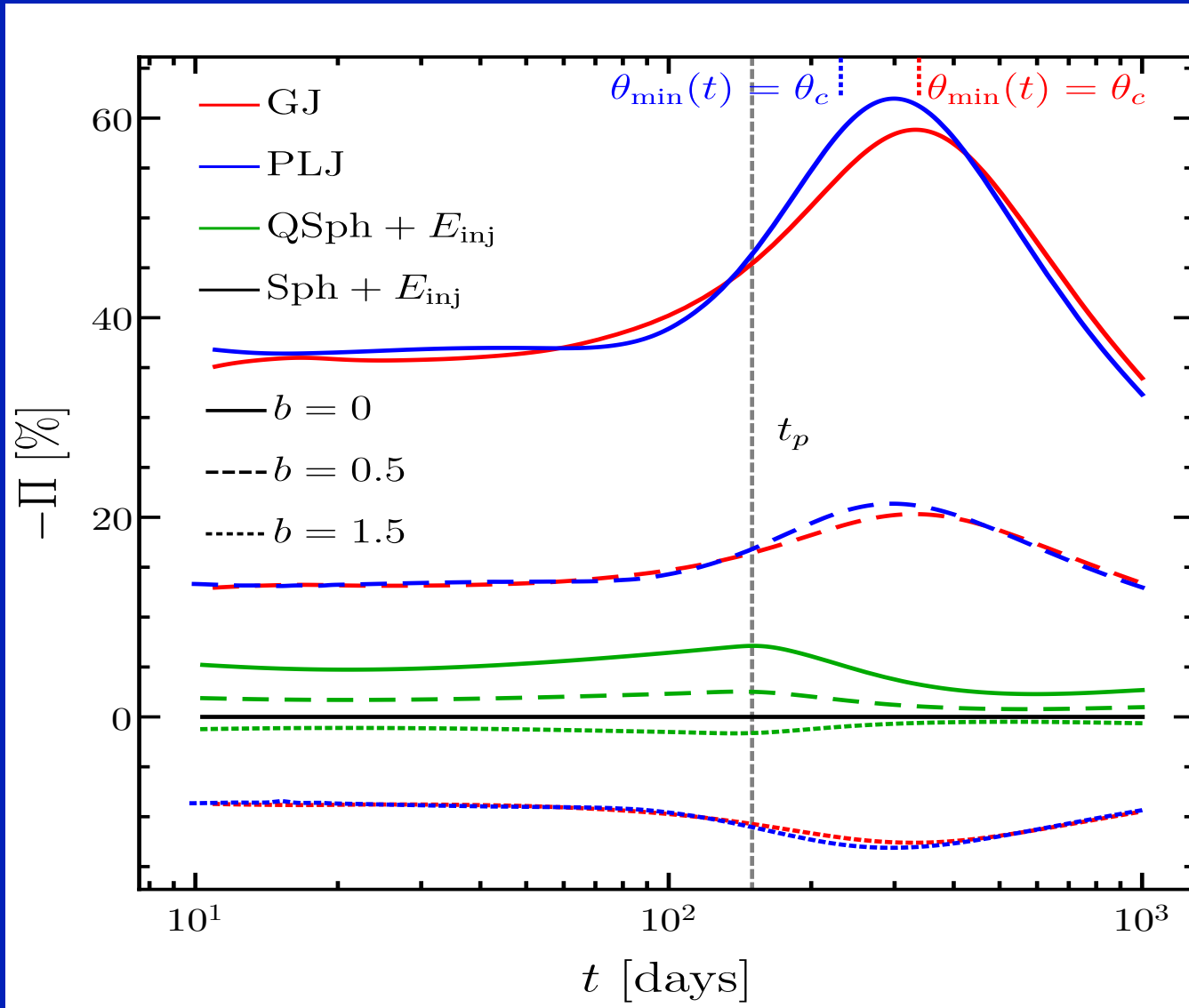
# Afterglow Images: GJ, PLJ





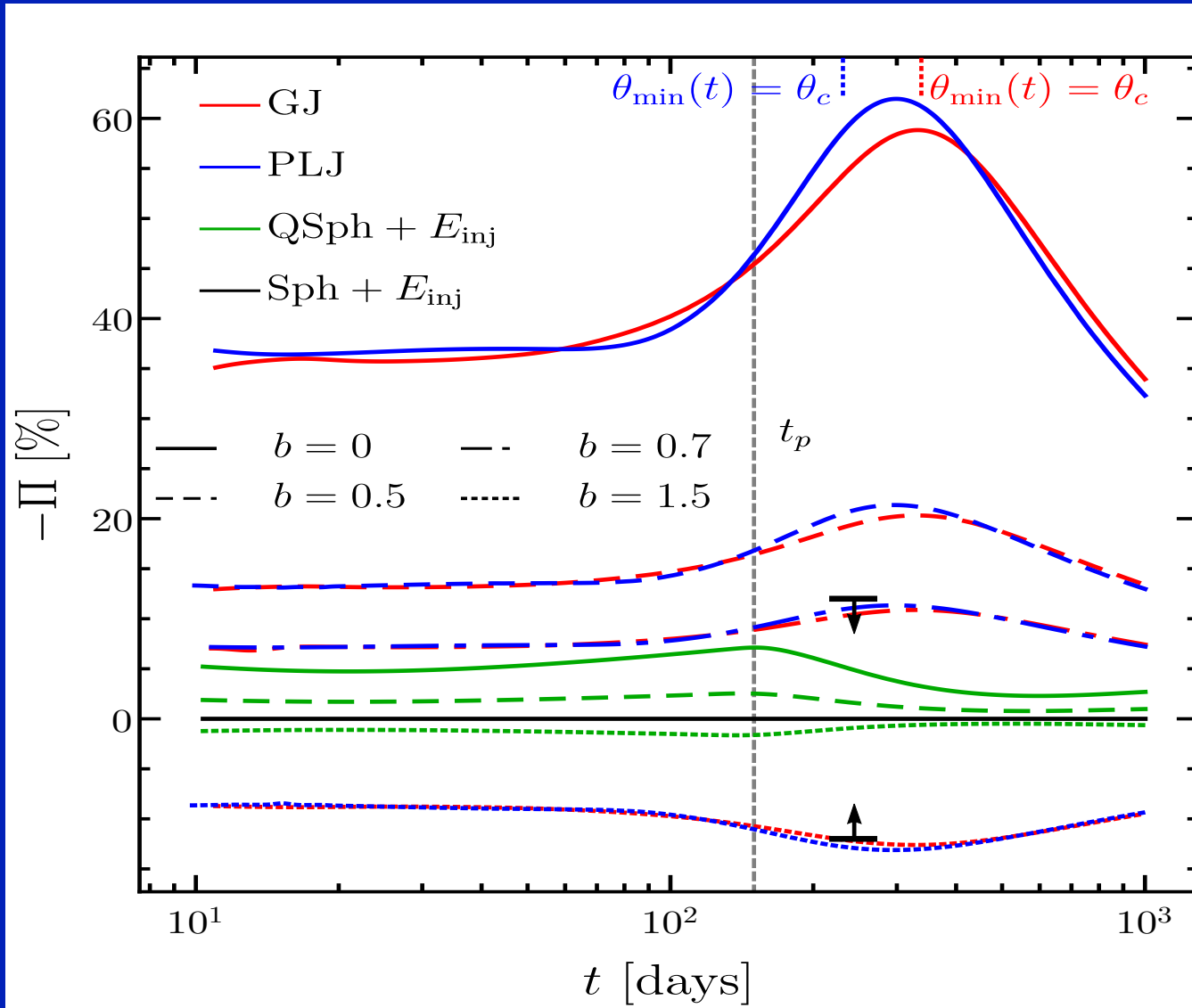
# Linear Polarization

- Assuming a shock-produced B-field with  $b \equiv 2\langle B_{\parallel}^2 \rangle / \langle B_{\perp}^2 \rangle$



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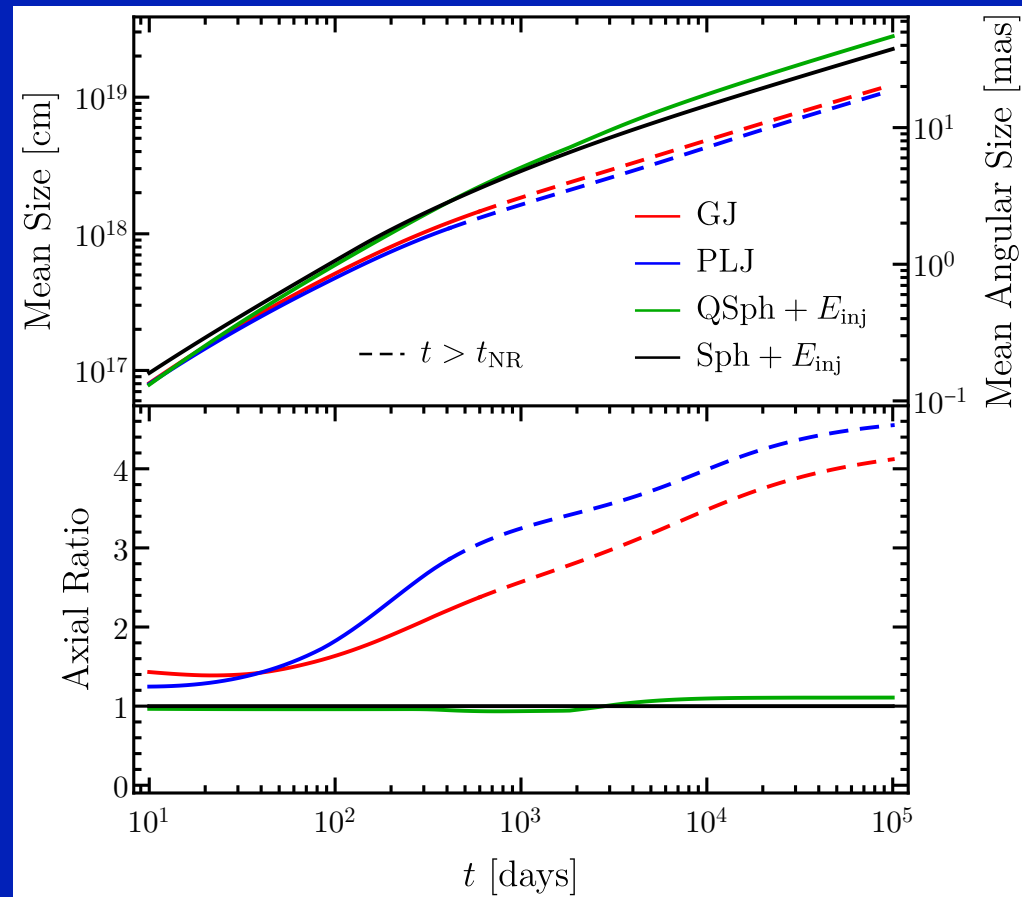
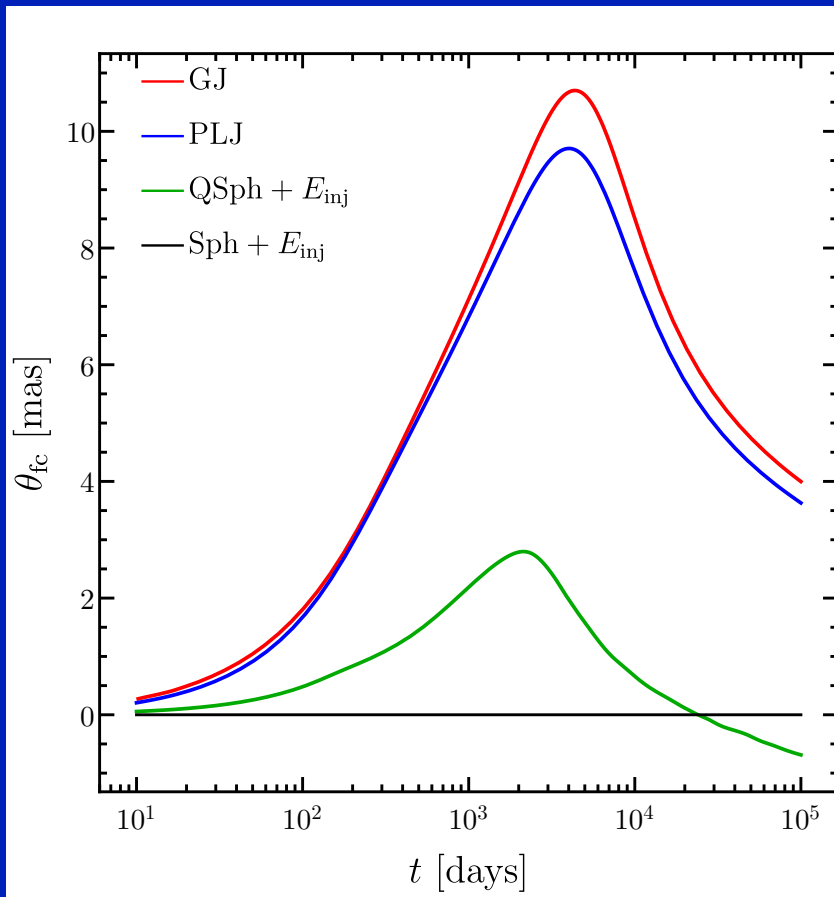


$0.7 \lesssim b \lesssim 1.5$   
for jet models

New: upper  
limit on linear  
pol. @ 2.8 GHz  
(Corsi+ 2018)

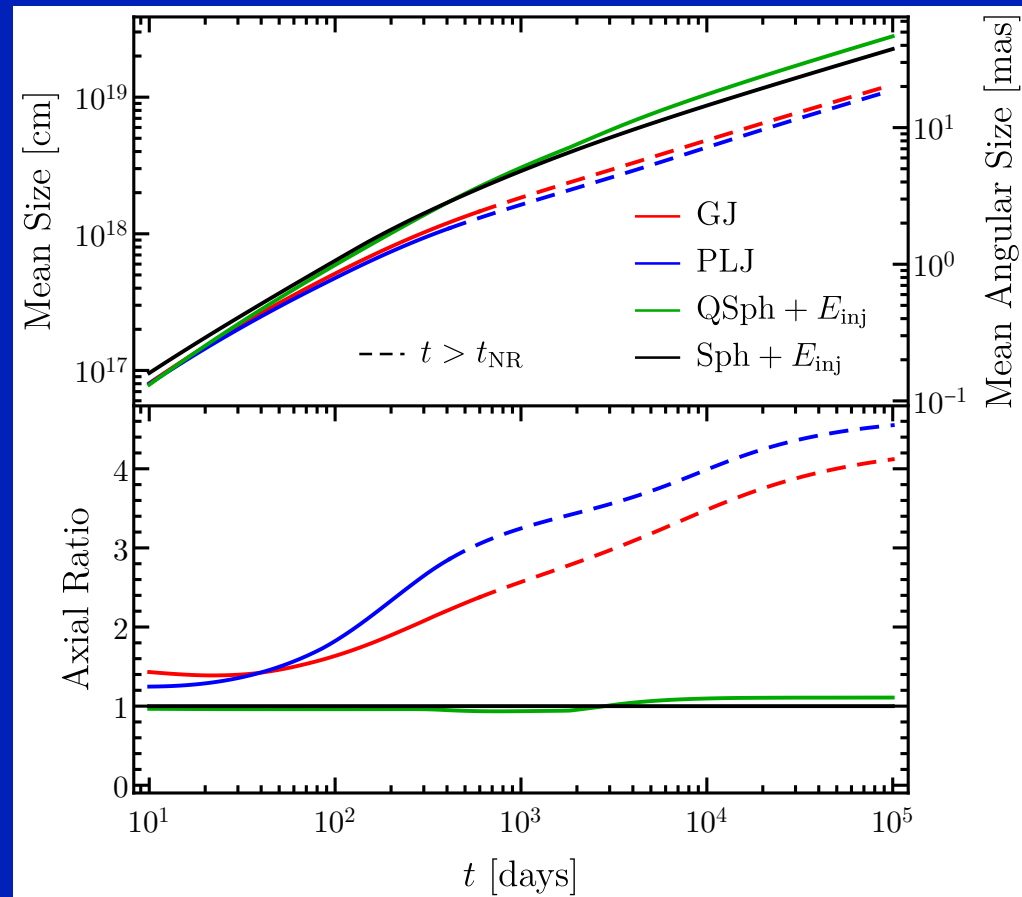
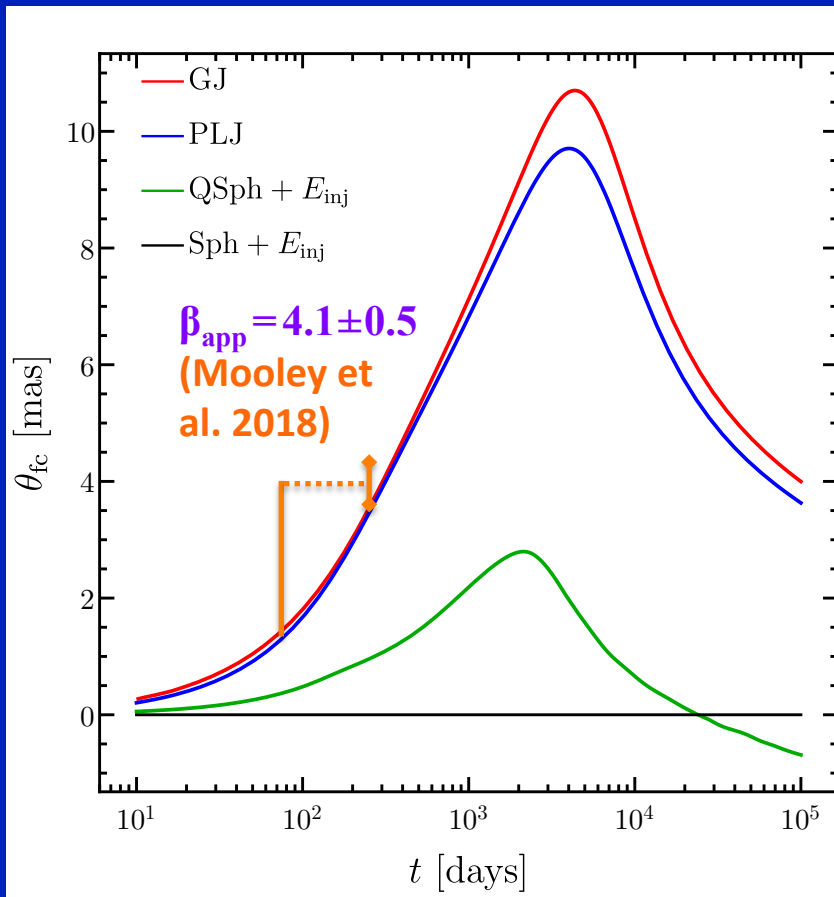
# Afterglow Images: flux centroid, size, shape

- The flux centroid motion: a potentially powerful diagnostic
- It may be hard to tell apart models based on the image size alone, but a much higher axis-ratio is expected for jet models



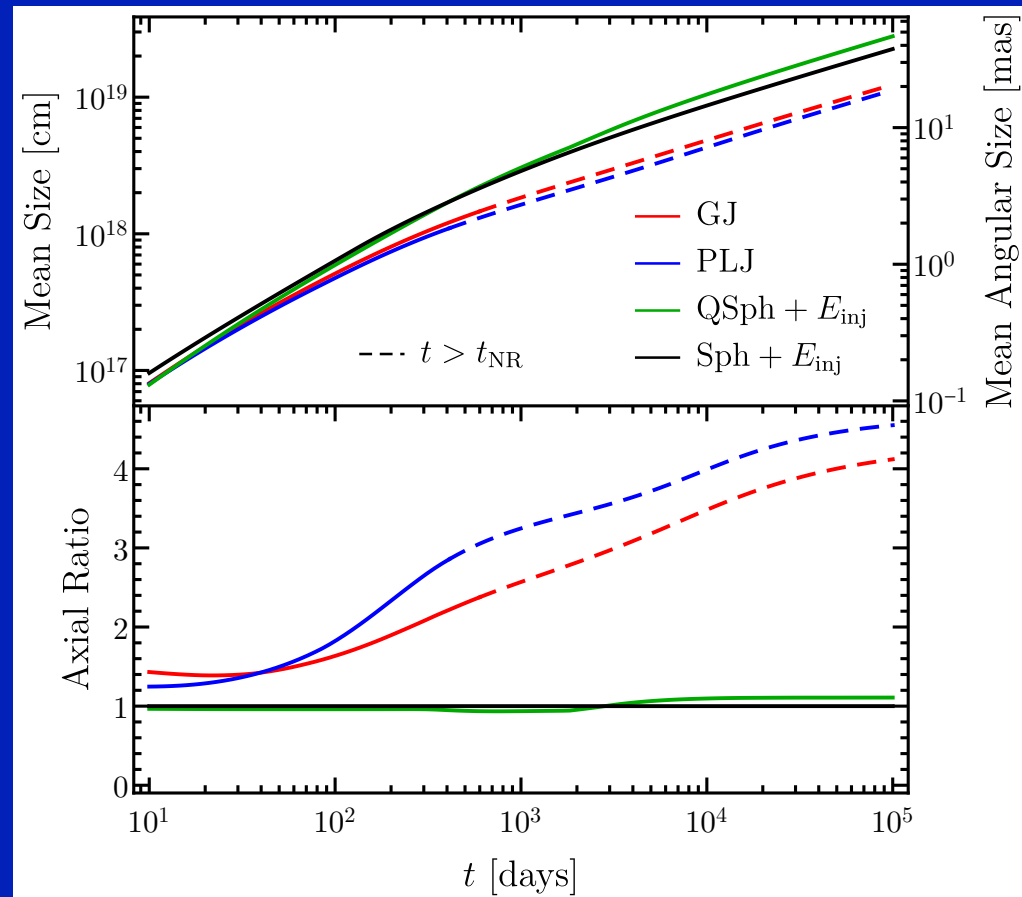
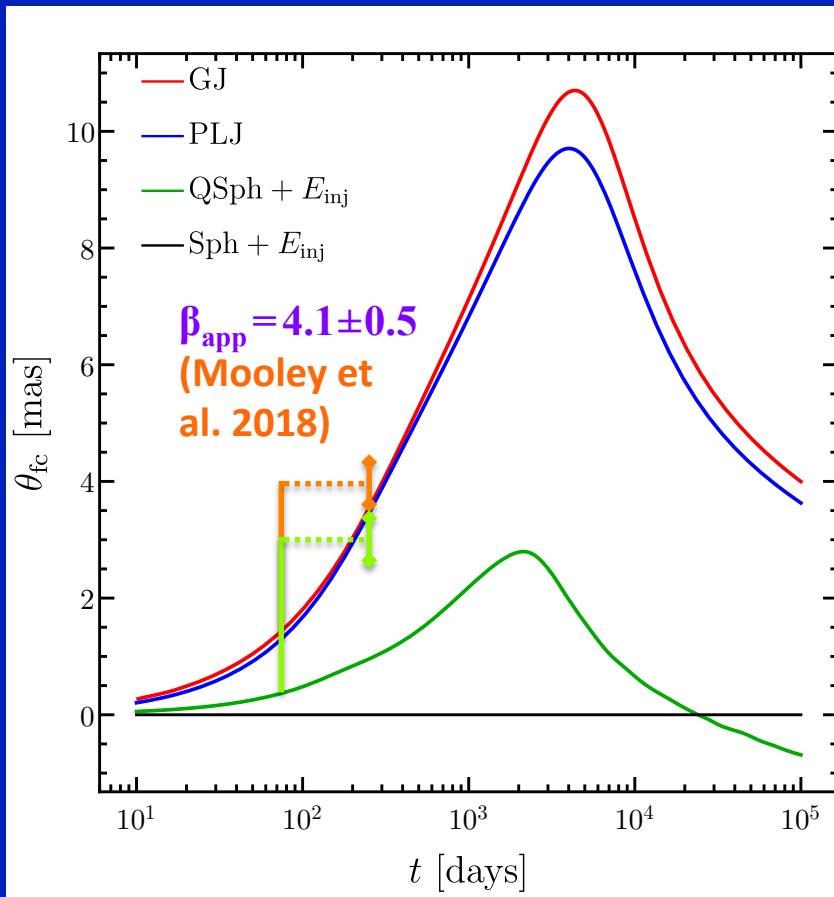
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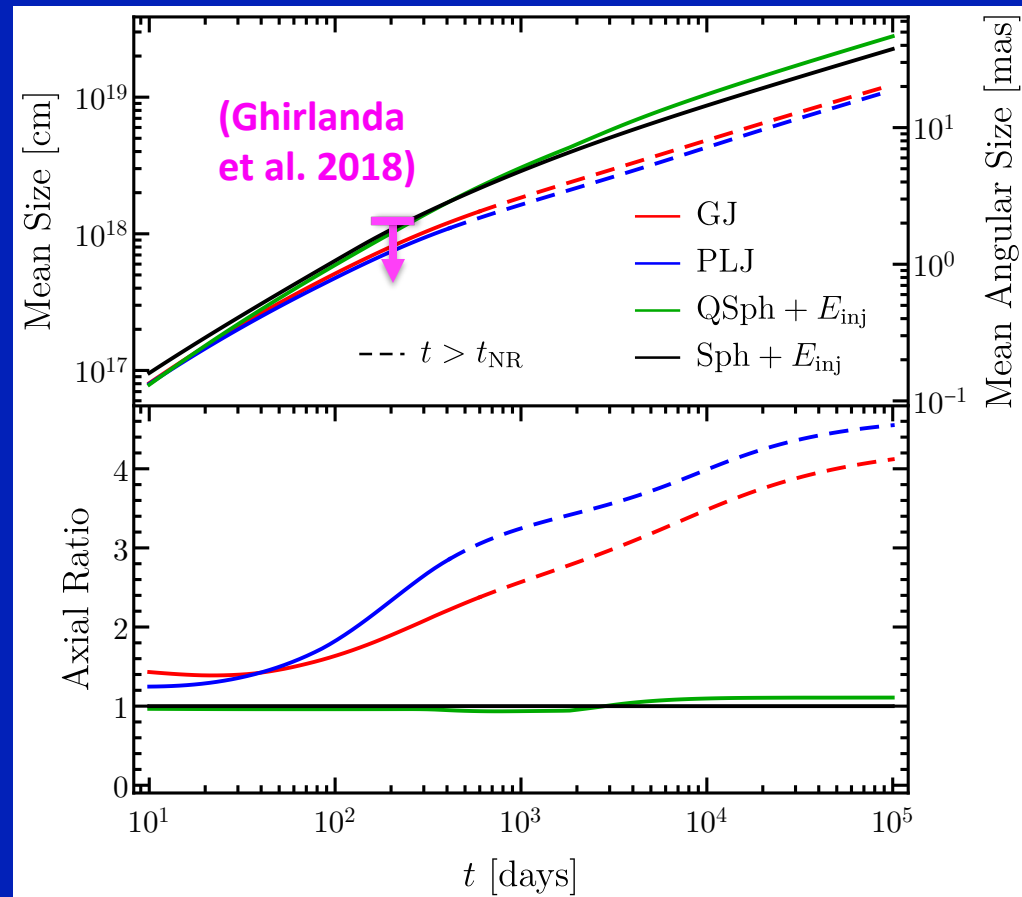
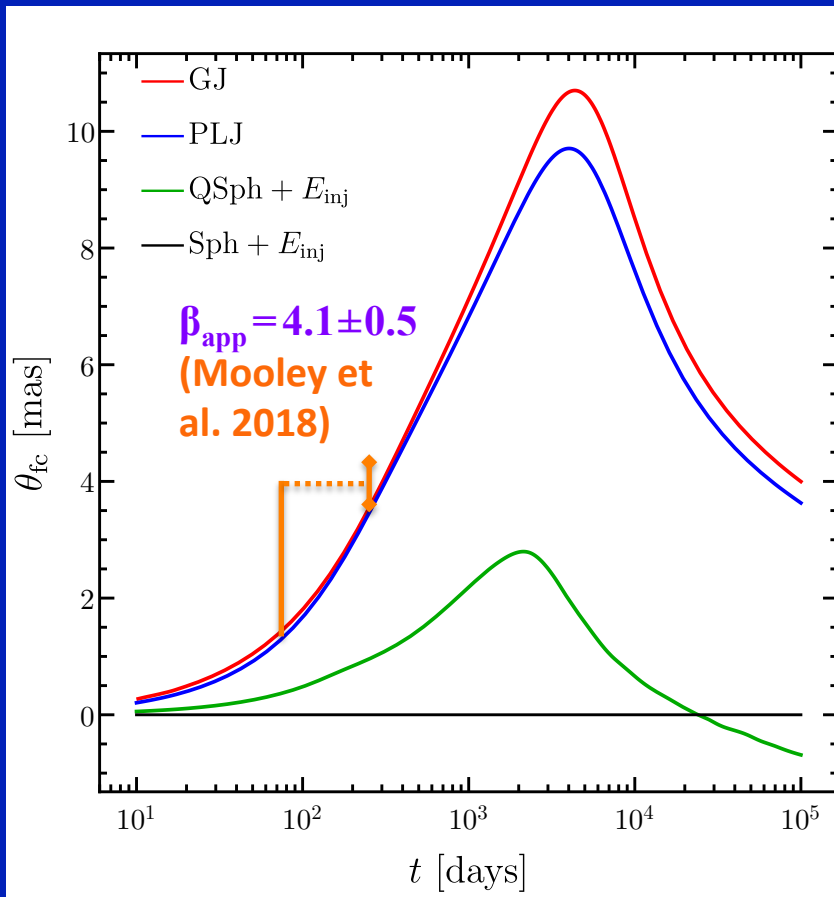
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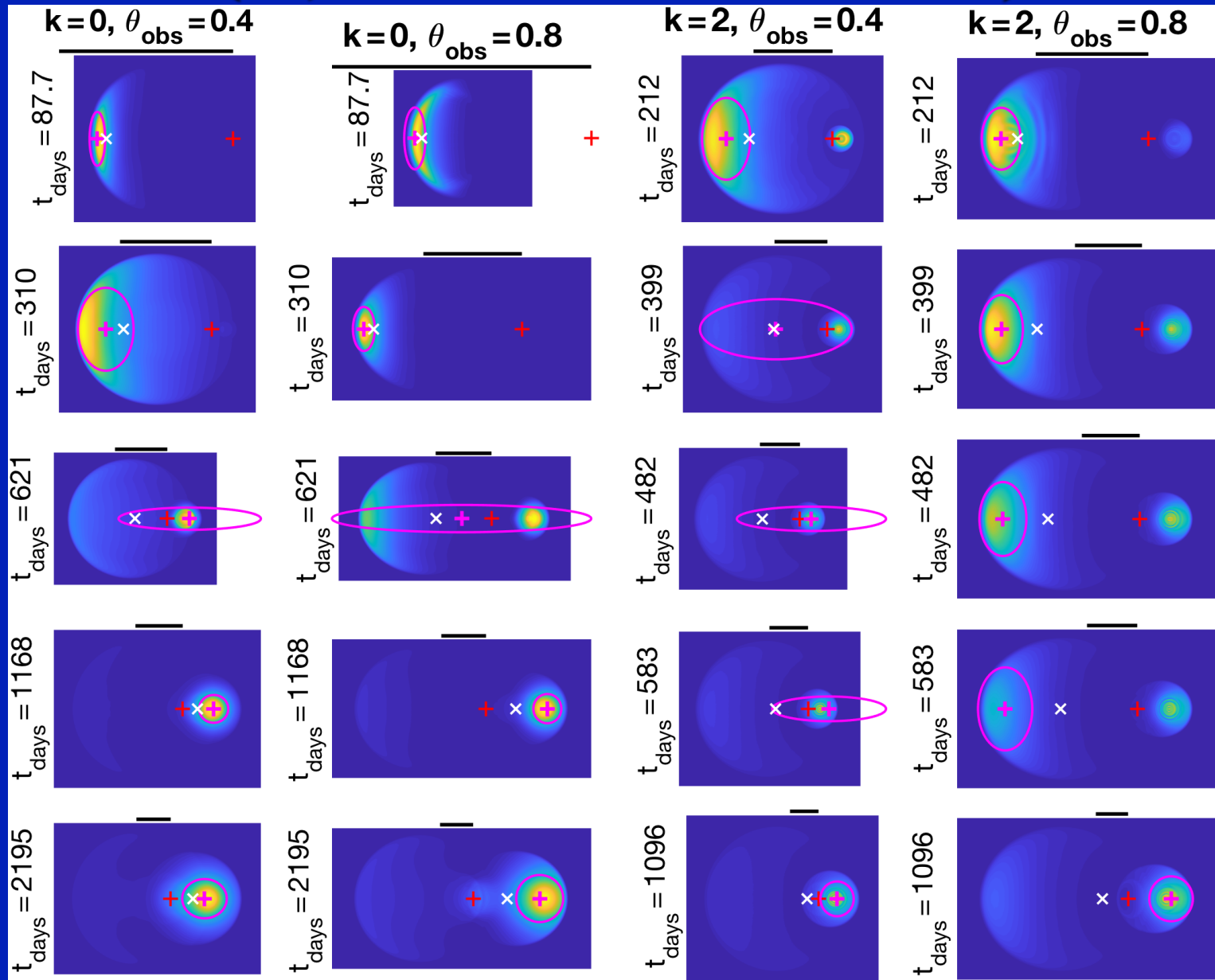
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# Afterglow Images: uniform jet simulations

(JG, De Colle & Ramirez-Ruiz 2018)



# Conclusions:

- **Afterglow polarization** probes jet structure & dynamics + the **B-field structure** behind relativistic collisionless shocks
- Reverse shock polarization probes B-field structure in ejecta
  - ◆ Optical flash ( $\theta \sim 1/\Gamma_0 \lesssim 10^{-2}$ ), radio flare ( $\theta \sim 1/\Gamma \sim 0.1$ )
  - ◆ Reverse & forward (afterglow) shock emission may overlap
- More afterglow polarization **observations are needed!!!**
- GW170817 afterglow: main explanations for the rising flux **energy distribution** with **proper velocity** (**r**) or with **angle** ( **$\theta$** )
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